



# RESEARCH MEMORANDUM

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FLUTTER CHARACTERISTICS OF A SERIES OF THIN CANTILEVER MASA PLE ARKOUN COMENTS

WINGS HAVING A TAPER RATIO OF 0.6

By John R. Unangst and George W. Jones, Jr.

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### SUMMARY

An investigation of the flutter characteristics of a series of thin cantilever wings having taper ratios of 0.6 has been conducted in the Langley transonic blowdown tunnel at Mach numbers between 0.76 and 1.42. The angle of sweepback was varied from 0° to 60° on wings of aspect ratio 4, and the aspect ratio was varied from 2.4 to 6.4 on wings with 45° of sweepback. This investigation represents an extension and reanalysis of a similar investigation reported in NACA RM L53GlOa. The previous data are presented again in this paper. More recently obtained data for some of the wings are also presented as well as data for an additional sweep angle of 30°.

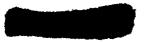
The results are presented as ratios between the experimental flutter speeds and the reference flutter speeds calculated on the basis of incompressible two-dimensional flow. These ratios, designated the flutter-speed ratios, are given as functions of Mach number for the various wings. The flutter-speed ratios were characterized, in most cases, by values near 1.0 at subsonic speeds with large increases in the speed ratios in the range of supersonic speeds investigated. Increasing sweep effected increases in the flutter-speed ratios between 0° and 30° followed by progressive reductions of the speed ratios to nearly 1.0 as the sweep was increased from 30° to 60°. Reducing the aspect ratio from 6.4 to 2.4 resulted in progressively larger values of the flutter-speed ratios throughout the Mach number range investigated. The additional data obtained in this investigation substantially corroborate the trends established in NACA RM L53GlOa.

### INTRODUCTION

Several flutter investigations have been undertaken in the Langley transonic blowdown tunnel in order to provide experimental data on wing







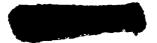
flutter in the transonic speed range. The results of two of these investigations are reported in references 1 and 2.

The present investigation represents an extension and reanalysis of the investigation of reference 2. Since the curves showing the variation of flutter-speed ratio (ratio of experimental to calculated flutter speed) with Mach number for some of the plan forms of reference 2 were defined by only a few points, more detailed data were obtained for these plan forms. An additional plan form of aspect ratio 4 with 30° of sweepback was tested. Both the new data and the data contained in reference 2 are presented herein. All of the experimental flutter records upon which the results presented in reference 2 were based have been reexamined to insure uniformity of definition of all flutter points, particularly those points where the exact start of flutter was somewhat obscure. As a consequence, some of the data presented in this paper differ in detail from those given in reference 2. As suggested in reference 2, additional modes were employed in the calculations of the reference flutter speeds for some of the wing plan forms.

The plan forms which were tested for this investigation consisted of wings of aspect ratio 4 with sweepback angles of  $0^{\circ}$ ,  $30^{\circ}$ ,  $45^{\circ}$ , and  $60^{\circ}$ . Data contained in reference 2 for these plan forms, for plan forms with  $45^{\circ}$  sweepback and aspect ratios of 2.4 and 6.4 (erroneously given as aspect ratios of 2 and 6 in reference 2), and for the plan form of aspect ratio 4 with  $52\frac{1}{2}^{\circ}$  of sweepback are also presented in this paper. All the wings had a taper ratio of 0.6 and airfoil sections approximately 4 percent thick. The results are presented over a Mach number range from 0.76 to 1.42.

### SYMBOLS

A	aspect ratio including body intercept, $\frac{(\text{Span})^2}{\text{Area}}$
a.	distance perpendicular to quarter-chord line in wing semichords, from midchord to elastic axis position; positive rearward, $2x_0$ - 1
$^{\mathrm{A}}g$	geometric aspect ratio, $\frac{(\text{Exposed span})^2}{\text{Exposed area}}$
Ъ	half-chord perpendicular to quarter-chord line, ft
br	half-chord perpendicular to quarter-chord line at inter- section of quarter-chord line and wing root, ft



bs	half-chord measured streamwise at intersection of wing root
	and fuselage, ft

c wing chord perpendicular to quarter-chord line, ft

cr wing root chord perpendicular to quarter-chord line, 2br, ft

ct wing tip chord perpendicular to quarter-chord line, ft

 $f_{h_i}$  measured coupled bending frequencies, cps (i = 1, 2, 3)

f<sub>b</sub>; uncoupled bending frequencies, cps (i = 1, 2)

ft measured coupled torsion frequency, cps

 $f_{\alpha}$  uncoupled first torsion natural frequency relative to elastic

axis, 
$$f_t = \frac{\left(\frac{x\alpha}{r_{\alpha}}\right)^2}{1 - \left(\frac{f_{h_1}}{f_t}\right)^2}$$
 (except for 245 wing), cps

EI bending stiffness, lb-in.<sup>2</sup>

GJ torsion stiffness, lb-in.<sup>2</sup>

g structural damping coefficient

gh structural damping coefficient in bending

 $\mathbf{g}_{\alpha}$  structural damping coefficient in torsion

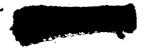
 $I_{\alpha}$  mass moment of inertia of wing section about elastic axis, slug-ft<sup>2</sup>/ft

k reduced frequency, bw/V

length of wing panels outside fuselage, measured along
quarter-chord line, ft

M Mach number

m mass of wing per unit length along quarter-chord line, slugs/ft





q	dynamic pressure, lb/sq in.	<del></del> .
$r_{\alpha}$	nondimensional radius of gyration of wing section perpendic-	Ÿ
	ular to quarter-chord line about elastic axis, $\left(I_{lpha}/\!$	
V	stream velocity, fps	. व व्य
$v_n$	component of stream velocity normal to quarter-chord line, fps	=
$v_e/v_R$	flutter-speed ratio	-
x <sub>O</sub>	distance of elastic axis of wing section behind leading edge, percent chord	
$\mathbf{x}_{\alpha}$	distance perpendicular to quarter-chord line in semichords from wing elastic axis to wing-section center of gravity, positive for center of gravity behind elastic axis	
η	nondimensional coordinate along quarter-chord line, measured from intersection of quarter-chord line and fuselage, fraction of length $l$	
μ	mass ratio, at $\eta = 0.75$ station, $m/\pi\rho b^2$	
λ	taper ratio, Tip chord. Chord in plane of symmetry	
Λ	angle of sweepback of quarter-chord line, deg	v
ρ	air density, slugs/cu ft	· \$
ω	angular frequency of vibration, radians/sec	
$\omega_{n_1}, \omega_{n_1}$	angular bending frequency, radians/sec $(2\pi f_{h_i}, 2\pi f_{b_i})$	
$\omega_{\alpha}$	angular uncoupled torsion frequency, radians/sec $(2\pi f_{\alpha})$	
θ	semichord ratio, b/b <sub>r</sub> , normal to quarter-chord line, $1-\eta(1-\text{Panel }\lambda)$	-
Subscripts:		
е	experimental values	- · · · · · · · · · · · · · · · · · · ·
R	calculated values (corresponds to subscript $\Lambda$ in ref. 4)	4



### MODELS

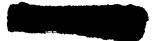
### Model Geometry

The models employed in the present investigation, together with the models of reference 2, represent a series of seven wing plan forms varying in sweep and aspect ratio. Five of the plan forms had aspect ratios of 4 and sweepback of the quarter-chord line of 00, 300, 450,  $52\frac{10}{5}$ , and  $60^{\circ}$ . The other two plan forms were swept back  $45^{\circ}$  at the quarter-chord lines and had aspect ratios of 2.4 and 6.4. All wings had taper ratios of 0.6. All wings had NACA 65A004 streamwise airfoil sections, except the wing with aspect ratio 4 and sweepback of 60° which was approximately 5 percent thick. The ratio of sting diameter to wing span varied from 0.31 for the aspect-ratio-2.4 wings to 0.18 for the aspect-ratio-6.4 wings. Drawings of the various plan forms tested are presented in figure 1. Each of the plan forms is designated by a threedigit number; the first digit refers to the aspect ratio to the nearest integer and the last two digits refer to the angle of sweepback to the nearest degree. For example, the wing of aspect ratio 4 with 450 of sweepback is designated as the 445 wing.

### Materials and Construction

The basic material used in the construction of the models tested in the present investigation, with one exception, was Compreg wood, a laminated, compressed, resin-impregnated maple. The 400 wing was made of solid Compreg. The 430 wing had a solid Compreg core wrapped with a 0.006-inch layer of Fiberglas. The construction of the 445 wing was changed from the solid Compreg used in reference 2 to a solid Compreg core wrapped with a 0.006-inch layer of Fiberglas. This was done in an attempt to assure the attainment of flutter in the tunnel over the desired Mach number range. All but one of the 460 wings had a solid Compreg core wrapped with a 0.018-inch layer of Fiberglas. One 460 wing was made of solid aluminum alloy and was perforated with a series of holes drilled through the wing to achieve the desired stiffness distribution. These holes were uniformly distributed over the wing plan form and were filled with rubber in order to obtain a continuous wing surface without appreciably altering the stiffnesses of the perforated wing (ref. 3).

The 245 wing of reference 2 had a tapered spar of pine 2 percent thick, with the grain direction parallel to the quarter-chord line. This spar was sandwiched between two layers of balsa 1 percent thick with the grain direction parallel to the airstream. The 452 wing of reference 2 had a solid Compreg core wrapped with a 0.006-inch layer of Fiberglas. The 645 wing of reference 2 was made of solid magnesium.



The wings which were wrapped with Fiberglas were made undersize prior to wrapping in order to obtain the desired thickness, but the streamwise airfoil sections of the 460 wings averaged a maximum thickness of 5 percent instead of the intended 4 percent after being covered with Fiberglas.

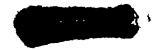
### Physical Parameters

Elastic-axis location, section center-of-gravity location, structural damping coefficient in bending, spanwise distributions of mass and mass moments of inertia, and the frequencies corresponding to the first three, and in some cases four, natural modes of vibration were measured. The elastic-axis locations were obtained by determining, as nearly as possible, the chordwise position at which a concentrated bending load produced no twist in the wing. For the determination of the elastic-axis locations, each wing was clamped along a line perpendicular to the quarter-chord line and passing through the intersection of the wing trailing edge and the root. The mass, center-of-gravity locations, and mass moments of inertia (or radii of gyration) were obtained from strips of each wing cut perpendicular to the quarter-chord line. The structural damping coefficients were determined from the decrement of free bending vibrations in still air. Natural frequencies were determined from forced vibration tests of the wings rigidly mounted on a massive steel bench. A more detailed description of the methods of measurement of these parameters is given in reference 2.

Values of the geometric and physical properties of the models are found in table I. For each plan form only one representative set of physical parameters, with the exception of the natural frequencies, is presented for each type of model construction. Each plan form of reference 2 which is included in this paper is designated by reference 2 and representative values of the natural frequencies of the models of each plan form are given.

In addition to the above properties, measurements were made of the spenwise variation of the bending and torsional stiffnesses, EI and GJ, for some of the models. The method of measurement is described in reference 3. The results of the stiffness measurements are given in figures 2 to 7. In these figures, the symbols shown under Measurement indicate each attempt at measurement of that particular stiffness and thus the variations between symbols indicate the repeatability of the method.





### APPARATUS AND TESTS

### Wind Tunnel

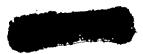
The Langley transonic blowdown tunnel, which was used for these tests, is equipped with a slotted, octagonal test section which allows the tunnel to operate from subsonic speeds through and above sonic speed to a Mach number of about 1.45. A plan view of the tunnel, with a model installed, and a cross-sectional view of the test section are shown in figure 8.

A variable and continuous regulation of the air flow is allowed by a set of three plug valves, located between a high-pressure reservoir and the tunnel, which are operated by a single control. A quick-operating mechanism closes the valves in approximately 1/2 second.

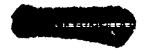
The test-section Mach number is controlled by the valve opening, which governs the stagnation pressure, and by the size of the orifice plate installed downstream of the test section. When choked, an orifice permits a specific test-section Mach number to be maintained as the stagnation pressure, and hence air density, is varied from the value at which the orifice chokes to the maximum design pressure, 75 pounds per square inch. Since the occurrence of flutter depends on air density as well as velocity and Mach number, this technique, along with proper model design, permits flutter to be obtained throughout the Mach number range on the same model. Figure 9 shows the variation of dynamic pressure as a function of test-section Mach number for three orifice plates. A sufficient number of orifice plates are available to choke the tunnel over a Mach number range between 0.85 and 1.4 in Mach number increments of approximately 0.06. The tunnel may be choked at Mach numbers below 0.85 by attaching inserts to the 0.85 orifice. Mach numbers above approximately 1.4 are obtained by bleeding off part of the air in the tank surrounding the slotted test section. It should be noted that the testsection velocity is not uniquely defined by the Mach number because of the variation of tunnel stagnation temperature with initial reservoir conditions and expansion in the reservoir during each run. The tunnel is equipped with a viewing screen, not shown in figure 8, which allows observers to watch the model throughout the tunnel operation.

### Support System

The wings were mounted at  $0^{\circ}$  angle of attack on a 3-inch-diameter cylindrical sting fuselage. A fixed wing root condition was obtained by mounting the wing with close-fitting filler blocks and four 3/8-inch bolts. Figure 10 shows a flutter model mounted on the sting fuselage. The fuselage nose extended into the subsonic flow region of the tunnel



 $\nabla$ 



entrance cone in order to prevent the formation of a bow shock wave and its associated reflection from the tunnel walls onto the model. The support system was considered to form a rigid mount since the mass of the system was very large compared with the mass of a model. The measured fundamental bending frequency of the support system was approximately 15 cycles per second.

It will be noted in figure 10 that there was a small bump in the sting fuselage behind the model. The shock wave which formed near this bump at transonic speeds may, for a limited Mach number range, have crossed the outer portions of the more highly swept wings, notably the 460 wings. The absence of any consistent irregularities in the experimental data, however, suggests that the presence of this shock wave had a negligible effect on the results.

### Instrumentation

Each model was instrumented with strain gages externally mounted on the wing near the root and oriented so as to distinguish between wing bending and torsion deflections. However, the gages could not be oriented so as to eliminate completely cross coupling between the bending and torsion signals. The strain gages were used to provide an indication of the start of flutter and to obtain a record of the frequency of wing bending and torsion oscillations.

During the tests, a multichannel recording oscillograph was used to make simultaneous recordings of the strain-gage signals, tunnel stagnation pressure and temperature, and test-section static pressure. A sample test record is given in figure 11 in which the start of flutter is shown by the change in the wing oscillations from an irregular form to a near sine wave, the amplitude of which rapidly increased. During the more recent tests, the strain-gage signals of each wing were fed into a cathode-ray oscilloscope, the bending signals to the vertical axis, and the torsion signals to the horizontal axis. A simple closed geometric pattern resulted at flutter, and thus aided the model observer in determining the start of flutter.

A high-speed, 16-mm motion-picture camera (approximately 1,000 frames per second) was used to obtain a visual record of wing deflection during some of the flutter tests. These films served as an aid in defining the mode shape and magnitude of flutter.

### Tests

The objectives of the wind-tunnel test program were to determine the flutter characteristics of each wing at  $0^{\circ}$  angle of attack for





several transonic Mach numbers. The procedure followed in obtaining model flutter at a particular Mach number was to increase the stagnation pressure gradually until flutter was seen by an observer viewing the model. The stagnation pressure and, consequently, Mach number, were then held constant for a brief interval at initial flutter conditions, after which the air flow was quickly stopped in an effort to save the model from destruction. Small adjustments in angle of attack were made when necessary in order to trim the models to the zero-lift condition.

### METHODS OF ANALYSIS

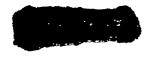
### General Considerations

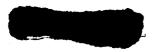
A true indication of the effects of plan-form variation on the flutter speed in the transonic Mach number range cannot be obtained from a simple comparison of experimental flutter speeds. Because of the operating characteristics of the tunnel, the density, and hence mass ratio  $\mu,$  varied for the different Mach numbers at which flutter was obtained. Furthermore, the torsional frequency  $\omega_{\alpha}$  as well as the nondimensional parameters  $x_{\alpha}$ , a,  $r_{\alpha}$ , and  $\omega_{n}/\omega_{\alpha}$  varied for the different plan forms and, in some cases, for the different models of the same plan form. Therefore, in an effort to separate the effects of plan-form and Mach number variation from the effects of these other variables, the results are presented in the form of a ratio of experimental flutter speed to calculated, or reference, flutter speed  $V_{\rm e}/V_{\rm R}$  as a function of Mach number (as set forth in ref. 4) for the various plan forms tested.

### Reference Flutter Speed

The method of calculating the reference flutter speeds is the same as that employed in reference 2 which was based on the type of analysis of reference 4. Briefly, the procedure as applied in this paper employs two-dimensional incompressible aerodynamic coefficients in a Rayleightype analysis in which the flutter mode is approximated by the superposition of uncoupled, free vibration modes of a uniform cantilever beam. The aerodynamic coefficients are based on the component of the free-stream velocity normal to the quarter-chord line. The spanwise derivative of the velocity potential, appearing in the method of reference 4, has been neglected.

The effective wing root and tip are defined in the present analysis as the perpendiculars to the quarter-chord line at the intersections of the quarter-chord line with the actual root and tip, respectively.





The values of k were weighted along the span in accordance with the wing taper, and the spanwise variation of the Theodorsen functions F(k) and G(k) were approximated by a straight line between the root and tip values. The solution of the flutter stability determinant was obtained in the form of the structural damping coefficient g as a function of  $V_n/b_T\alpha\alpha$ . The structural damping coefficient used was that measured in bending with the assumption that  $g_h=g_{\alpha}=g$ .

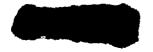
The  $V_R$  calculations of reference 2 were based on a flutter mode approximated by the uncoupled first bending and first torsion modes of a uniform cantilever beam. These calculations resulted in flutter speed ratios which were considerably below 1.0 in the subsonic and low supersonic speed range for wings with relatively high  $1/c_{\rm r}$  ratios. Examination of motion pictures showing the mode shape at flutter, and the proximity of  $\omega_{\rm h2}$  to  $\omega_{\rm c}$  for some of the wings, suggested that the inclusion of higher modes in the calculations might result in better agreement between experimental and calculated flutter speeds at subsonic Mach numbers. Calculations of  $V_R$  were accordingly made using the uncoupled first and second bending and first torsion uniform cantilever modes for the 445, 452, 460, and 645 plan forms. In addition, a four-mode analysis was made for a few of the points for the 460 wing, the fourth mode being the third uncoupled bending mode. Only the first bending and torsion modes were used in the calculations for the other wings.

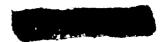
The measured frequencies of the predominantly bending modes were taken to be the uncoupled values, except for the 245 wing, whereas the measured frequencies of the predominantly torsion modes were adjusted to the uncoupled values. For all the wings except the 245, the uncoupled torsion frequency was inferred from the coupled values by the simplified formula given in reference 4 and in the Symbols section herein. Since the vibration modes of the 245 wing were highly coupled, the uncoupled torsion and bending frequencies were determined from the measured coupled values for this wing by means of a Rayleigh-type analysis in which the first three coupled wing modes were expressed in terms of the uncoupled first and second bending and first torsion modes of a uniform cantilever beam. A number of calculations indicated that, in comparison with the more elaborate method employed for the 245 wing, the simplified uncoupling formula of reference 4 was entirely adequate for the other wings.

### RESULTS

### General Comments

Visual observations, examination of high-speed motion-picture films and oscillograph records, and comparison of flutter frequencies with





natural frequencies indicated that the flutter obtained in the tests was of the classical bending-torsion type. The wing oscillations at flutter, however, did not necessarily show a continual increase in amplitude with increasing time, but rather reached a constant amplitude. It was also noted that the flutter characteristics of the wings at subsonic speeds differed from those at supersonic speeds. Flutter at high subsonic Mach numbers, near 0.85, occurred with a relatively large amplitude and low frequency, whereas at supersonic Mach numbers, near 1.3, the flutter occurred with a lower amplitude and a higher frequency.

The beginning of flutter was not always as easily defined as that shown in figure 11, particularly at supersonic speeds. In many cases, the oscillograph records revealed a period of intermittent sinusoidal oscillations in both bending and torsion followed by a period of steady continuous flutter as the tunnel conditions approached and crossed the flutter boundary. A sample oscillograph record of one of the test runs showing this kind of behavior is shown in figure 12. For this particular test run, the beginning of a period of intermittent sinusoidal oscillations in bending and torsion might be chosen near point C for both wing panels. At point D, the oscillations of the right wing become nearly sustained and the frequencies in bending and torsion appear identical so that point D is defined as a flutter point. The oscillations of the left wing, however, remain intermittent in character until point E is reached. For cases such as that illustrated in figure 12, a clear-cut distinction between the period of intermittent oscillations and the start of flutter was difficult to make.

For those cases in which flutter did not exhibit a clearly defined start, time-history studies of the frequencies present in the bending and torsion oscillations were made to assist in defining the flutter point. These studies consisted of envelopes of the frequency spectra in bending and torsion plotted against tunnel dynamic pressure. As an example, a frequency study was made for the test record shown in figure 12 and is presented in figure 13. The frequency values at each labeled point in figure 12 were determined by counting the oscillations over a short period of time (about 0.01 second) at several values of time before and after the chosen point and are indicated in figure 13 by corresponding letters. Any one frequency which seemed to predominate among the various values obtained is shown as the predominant frequency in figure 13, and the highest and lowest frequencies obtained are shown as the boundaries of the frequency envelope. Since the oscillations were counted over a shorttime interval, there is some degree of judgment involved and the frequency values shown should be considered as only approximate. The points where the predominant bending and torsion frequencies first become equal, as shown by points E and D on figures 13(a) and (b), respectively, are defined as flutter points. The points of initial overlapping of the boundaries of the frequency spectra in bending and torsion (point C in figs. 12 and 13) are arbitrarily defined as the beginning of periods of intermittent sinusoidal oscillations which in this paper are called lowdamping regions. These period should be interpreted as regions of



uncertainty in which the wing may or may not have been fluttering. Some indication of the beginnings of the low-damping regions in relation to the points of flutter is given in the later figures of this paper. It should be noted that the amplitude of the intermittent oscillations experienced by the models preceding flutter is dependent upon the aero-dynamic and structural damping of the models and upon the magnitude and frequency of the exciting disturbances experienced by the models. Since tunnel turbulence, no doubt, provides most of the excitation experienced by the models, the magnitude of the intermittent oscillations observed on the models preceding flutter is probably not representative of what would be obtained in free air.

In many cases, the two panels of the same model did not flutter simultaneously. This was quite probably due to differences in physical properties, notably the natural frequencies, between wing panels. In those cases, separate flutter points are presented for the start of flutter for each panel. It was also noted that more than one flutter point frequently occurred during a single run. The reason for this behavior is illustrated in figure 9 which shows that for a given tunnel-orifice condition (in this case, the M=1.25 orifice was installed), the tunnel-operating curve can intersect the flutter boundary curve of a wing at more than one point. For the example of figure 9, three flutter points would be obtained during the run (points A, B, and C). In such cases, each of the points is presented in the data.

### Presentation of Results

The results of the investigation are presented in table II and are plotted in figure 14. Table II contains the results of theoretical calculations and experiments with some indication of the different models employed, the behavior of each wing panel during a particular test run, and values of the pertinent flutter parameters. Column 1 gives the identification numbers of the models employed in obtaining the data. A model designation of reference 2 in column 1 indicates that the data are taken from reference 2 in which no record was kept of the numbers of individual models of the same plan form and construction. Columns 2 and 3, respectively, show the run number and the chronology of the data points during a particular run. (A single run is defined as one operation of the tunnel, starting with the opening of the valves and ending with the closing of the valves.) For example, for a given run in column 2, a designation of 1, 2, 3, . . . in column 3 refers to the first, second, third, . . . data point obtained during that run. Columns 4 and 5 contain a code system describing the behavior of each wing panel at each data point. The following designations are used to describe the data points:





F flutter

D low damping

G strain gages inoperative

E end of flutter with dynamic pressure increasing

X wing panel destroyed or not installed

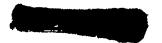
Subscripts 1 or 2 attached to these designations refer to the first or second occurrence of flutter on the panel during a particular run. For example, a series of data points obtained during a given run might be coded as follows:

Run	Point	Left	Right
3	1 2 3 4	F1 E1 D2 F2 F2	F <sub>1</sub> E <sub>1</sub> D <sub>2</sub> F <sub>2</sub>

Then, from this example, it will be seen that during this run: at point 1, both panels started to flutter for the first time; at point 2, both panels stopped fluttering; at point 3, both panels exhibited behavior which has been previously defined as low damping; at point 4, the left panel fluttered a second time during the run but the right panel continued low-damping behavior; and at point 5, the right panel fluttered a second time while the left panel continued to flutter.

Presented in figure  $l^{\downarrow}$  are the results of the investigation in the form of plots of the ratio of experimental to calculated flutter speed  $V_e/V_R$  as a function of Mach number for the various plan forms tested. The low-damping regions are indicated on these plots by dotted lines extending from the beginning of the low-damping period to the point of definite flutter. The direction of these dotted lines is indicative of the manner in which the speed and Mach number varied as the flutter condition was approached during the tunnel tests. The points indicating flutter are shown on the plots by means of plain symbols. The points showing the end of a flutter period are indicated on the plots by means of shaded symbols.





The following paragraphs contain some general comments concerning the data presented in figure 14 for each of the plan forms and, in a few cases, some observations regarding the behavior of the wings during the tests. It should be noted that all the data presented in reference 2 were reexamined for presentation in this paper; hence, some of the data may differ in detail from those previously presented.

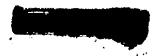
245 plan form.— The data presented herein for the 245 wings (fig. 14(a) and table II(a)) are taken entirely from reference 2. It should be noted the aspect ratio of this plan form is 2.4 instead of 2 as previously reported. Low-damping periods could not be determined with any degree of certainty, because it was impossible to distinguish separate bending and torsion frequencies on the flutter records. This difficulty was due to the poor orientation of the strain gages on this wing, resulting in flutter records which showed only bending oscillations. Consequently, the data points presented represent only definite flutter points, but they do not necessarily identify the precise flutter boundary for this wing because of the difficulty in determining the exact start of flutter. All calculations of the reference flutter speeds were made with a two-mode analysis.

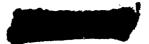
400 plan form. The data presented herein for the 400 wings (fig. 14(b) and table II(b)) include the results presented in reference 2 and the results of more recent tests. Considerable difficulty was encountered in obtaining flutter on these wings because of a tendency toward static divergence. During the attempts to obtain flutter, several of these models diverged to destruction before fluttering. All calculations of the reference flutter speeds were made with a two-mode analysis.

 $\frac{430}{430}$  plan form. All the data presented for the 430 wings in figure  $\frac{14}{14}$ (c) and table II(c) were obtained during this investigation. The data were obtained on five models, the physical parameters of which are given in table I(c). All calculations of the reference flutter speeds were made using a two-mode analysis.

445 plan form. The data presented for the 445 wings in figure 14(d) and table II(d) include the data published in reference 2 and data obtained from the present investigation. The new data were obtained on two models, the physical parameters of which are given in table I(d). These new data were obtained in order to provide a clarification of the effect of Mach number on the flutter-speed ratio in the supersonic speed range. All the calculations of the reference flutter speeds presented in figure 14(d) and table II(d) were made using a three-mode analysis.

452 plan form. All the data for the 452 wings presented in figure 14(e) and table II(e) were published previously in reference 2. In addition to reexamination of these data, the calculations of the reference flutter speeds were revised using a three-mode analysis.





460 plan form. The data presented for the 460 wings in figure 14(f) and table II(f) include the data published in reference 2 and data obtained during this investigation. The new data were obtained in order to clarify the location of the flutter boundary in the subsonic speed range. The flutter obtained on this plan form in the subsonic speed range was very violent and frequently caused the Compreg-wood wings to crack within the fuselage block near the root. Ignorance of the existence of such a condition may explain the two points at M  $\approx 0.83$  which are below the curve in figure 14(f). The calculations of the reference flutter speeds were made using a three-mode analysis.

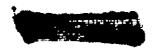
645 plan form.— All of the data presented for the 645 wings in figure 14(g) and table II(g) were published previously in reference 2. It should be noted that the aspect ratio of this plan form is 6.4 instead of 6 as previously reported. In addition to reexamination of these data, the calculations of the reference flutter speeds were revised using a three-mode analysis.

### DISCUSSION

Effects of Sweep on the Flutter-Speed Ratio

The effects of sweepback angle on the variation of the flutter-speed ratio with Mach number are shown in figure 15 for wings with aspect ratio of 4 and sweepback of  $0^{\circ}$ ,  $30^{\circ}$ ,  $45^{\circ}$ ,  $52\frac{1}{2}^{\circ}$ , and  $60^{\circ}$ . This figure shows the faired curves of figure 14 for the appropriate plan forms. Examination of figure 15 shows that the results obtained from this investigation are similar to those given in reference 2 in that  $V_{\rm e}/V_{\rm R}$  is near 1.0 for subsonic Mach numbers,  $\,V_{\rm e}/V_{\rm R}\,$  increases with Mach number for supersonic Mach numbers, and the effect of Mach number on  $V_{\rm e}/V_{\rm R}$  is considerably reduced for wings with large sweepback. Figure 15 shows that the flutter-speed ratio increases as the sweepback angle is increased from  $0^{\circ}$  to  $30^{\circ}$ ; further increases in the sweepback angle from  $30^{\circ}$  to  $60^{\circ}$ are shown to result in a progressive reduction in the flutter-speed ratio to values which are near 1.0 throughout the Mach number range for the  $60^{\circ}$  sweptback plan form. Contrary to the results reported in reference 2, the data for the unswept wings are seen to fall below the curve of  $V_{\rm e}/V_{\rm R}$ plotted against Mach number for the 45° swept wings at supersonic speeds. The difference in the trends shown herein as compared to those of reference 2 results from the more complete data presently available for the 45° swept wings and not from any basic change in the data for the unswept wings. On the other hand, difficulty was experienced in obtaining flutter on some of the models of the unswept wing because of a strong tendency toward static divergence. The probability therefore exists that the





flutter boundary of the wing may have been affected by the divergent tendencies. In any case, there appears to be a need for further study of low-aspect-ratio unswept wings and the effect of variations in sweep angle between  $0^{\circ}$  and  $30^{\circ}$ .

Effects of Aspect Ratio on the Flutter-Speed Ratio

The effects of aspect ratio on the variation of the flutter-speed ratio with Mach number are shown in figure 16 for wings with sweepback of 45° and aspect ratios of 2.4, 4, and 6.4. This figure shows the faired curves of figure 14 for the appropriate plan forms.

Figure 16 shows a large increase in flutter-speed ratio at the higher supersonic Mach numbers investigated as the aspect ratio is reduced from 6.4 to 4. It will be noted that a similar large increase in flutter-speed ratio is shown in the subsonic region as the aspect ratio is reduced from 4 to 2.4. This fairly large increase in flutter-speed ratio which accompanies a reduction in aspect ratio from 4 to 2.4 is probably due, at least in part, to inadequacies in the aerodynamic coefficients employed in the reference flutter-speed calculations, although other uncertainties arise in the attempt to treat the 245 wing as a simple beam.

Effects of Additional Modes on the Reference Flutter Speed

The results presented in reference 2 showed that for certain of the plan forms the values of the reference flutter speeds obtained using two modes in the calculations tended to be too high, thus yielding poor agreement between calculated and experimental flutter speeds. Consequently, in the present paper calculations of the reference flutter speeds were made using three modes for the 445, 452, 460, and 645 plan forms in an attempt to improve the agreement between  $\,V_{\rm e}\,\,$  and  $\,V_{\rm R}\,.\,$  A comparison of the flutter-speed ratios calculated with two modes and with three modes is shown in figures 17 to 20. In all cases, the addition of a third mode, the second uncoupled bending mode, is seen to result in reduced values of the reference flutter speeds and corresponding improvements in the agreement between  $V_e$  and  $V_R$  at subsonic Mach numbers. It will be noted from figures 17 to 20 and table I that the effect of the addition of a third mode is related to the ratio of second bending to first torsion frequency. Within the range of the wings considered herein, the lower the second bending frequency with respect to the first torsion frequency, the greater is the effect of the addition of a third mode. The addition of a third mode is seen to have relatively little effect in the case of the 445 wing. Since the ratios of second bending to first torsion frequencies of the 400, 430, and 245 wings were even higher than was the case for the 445 wing, only two modes were used in the analysis of these wings. The addition of a fourth mode, the third uncoupled bending mode,





to the calculations for the 460 wing is seen in figure 19 to have little or no effect on the reference flutter speed.

# Application of the Flutter-Speed Ratio

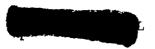
As pointed out in reference 2, caution should be exercised in applying the flutter-speed ratios to the determination of the flutter speed of wings which have values of  $\omega_h/\omega_\alpha$ ,  $x_\alpha$ , a,  $r_\alpha$ , and  $\mu$  much different from those which characterize the wings of the present investigation. It might be hoped that the reference flutter-speed calculations, as obtained in the present paper, have adequately removed from the results the effects of such variables as the center-of-gravity position, and that the curves of  $V_e/V_R$  against Mach number are a function of plan form only. It is not entirely evident, however, that such is the case and it is thought that further investigation of particular wing plan forms having different values of the various pertinent parameters which are used in the reference speed calculation are required in order to establish the applicability of the results obtained.

### Modified Experimental Flutter-Speed Coefficient

In order to provide some physical idea of the relationship between wing torsional frequency, flutter speed, and flutter mass-density ratio, figure 21 has been prepared. In this figure, faired curves of an experimental flutter-speed coefficient corrected for mass-density ratio  $V_e/b_s\omega_n/\overline{\mu_e}$  are shown as a function of Mach number for all the plan forms tested. The values of the experimental flutter-speed coefficient, its components, and the values of Mach number used to obtain the data points through which the faired curves of the figure are drawn were taken from tables I and II. It should be noted that curves of the parameter  $V_e/b_s\omega_r/\mu_e$  against Mach number implicitly contain the effects of such important parameters as radius of gyration, center-of-gravity position, and frequency ratio. The data of figure 21 indicate, except for the 245 wing, a spread of about 30 percent in the parameter  $V_e/b_s\omega_a\sqrt{\mu_e}$  at subsonic speeds with the 400 wing having the highest and the 460 wing the lowest values. For a given mass ratio, wing chord, and torsional frequency, the flutter-speed coefficients for the 245 wing are in the order of twice as great as that of any of the other wings. In general, the variation of  $V_e/b_B\omega_C\sqrt{\mu_e}$  with Mach number seems to be about the same as the variation of flutter-speed ratio  $V_e/V_R$  with Mach number. (See figs. 15 and 16.)

An interesting application of figure 21 may be seen if, for a given plan form, the coefficient  $V_e/b_g\omega_u/\overline{\mu_e}$  is evaluated and plotted against





Mach number for values of  $V_e$ ,  $\mu_e$ , and  $M_e$  corresponding to flight conditions rather than flutter conditions. Some results of such an application are shown in figure 22, in which two example flight paths are shown in relation to the flutter boundary for the 445 plan form. The straight-line flight path indicates the relation between velocity and Mach number for constant altitude operation, with the slope of the line being given by  $a/b_s \omega_L \sqrt{\mu_e}$ . (The speed of sound corresponding to the given altitude is given by a.) The flight path indicated by the curved dashed line corresponds to a high-speed dive. Any intersections of these flight paths with the flutter boundary of the plan form considered indicate a flutter condition. It should be noted that, for constant altitude operation of a plan form whose flutter boundary is characterized by a "knee," as at A in figure 22, the minimum altitude at which the wing will be flutter free throughout the Mach number range for which data are given is the altitude corresponding to the straight-line flight path which just misses the knee of the flutter boundary. For wings such as the 460, however, no knee exists in the flutter boundary shown in figure 21, at least within the scope of the data presented. Therefore, any constant altitude path plotted for the 460 plan form on figure 21 will intersect the 460 flutter boundary at some Mach number. If, for any of the plan forms shown in figure 21, a high-speed dive is executed, an intersection with the flutter boundary may occur at the highest Mach numbers for which data are given, even for wings whose flutter boundaries are characterized by knees in the transonic range.

### CONCLUSIONS

The results of an investigation of some of the effects of wing sweep and aspect ratio on the flutter characteristics of a series of thin cantilever wings at transonic speeds indicated the following conclusions:

- 1. The variation of flutter-speed ratio with Mach number was characterized, in most cases, by flutter-speed ratios near 1.0 at Mach numbers near 0.8, and an increase in flutter-speed ratio in the supersonic region up to Mach numbers near 1.4.
- 2. The rate of increase of the flutter-speed ratio with Mach number in the supersonic region increased as the sweep angle was increased from  $0^{\circ}$  to  $30^{\circ}$ , and then progressively decreased as the sweep angle was increased from  $30^{\circ}$  to  $60^{\circ}$ .
- 3. Reducing the aspect ratio from 6.4 to 2.4 resulted in progressively larger values of the flutter-speed ratio throughout the Mach number range of this investigation.



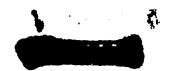


4. The use of the second uncoupled bending mode in addition to the uncoupled first bending and torsion modes in the reference flutter-speed calculations resulted, in many cases, in better agreement between the calculated and experimental flutter speeds at subsonic Mach numbers.

Langley Aeronautical Laboratory,
National Advisory Committee for Aeronautics,
Langley Field, Va., September 9, 1955.

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- 2. Jones, George W., Jr., and DuBose, Hugh C.: Investigation of Wing Flutter at Transonic Speeds for Six Systematically Varied Wing Plan Forms. NACA RM 153G10a, 1953.
- 3. Land, Norman S., and Abbott, Frank T., Jr.: A Method of Controlling Stiffness Properties of a Solid-Construction Model Wing. NACA TN 3423, 1955.
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# TABLE I.- PHYSICAL PROPERTIES OF MODELS

# (a) 245 Plan Form

Parameter	Model of Ref. 2
NACA section	65A004
A	2.4
Λ, deg	45
λ	0.6
Panel λ	0.685
Span, ft	0.808
Ag	0.91
l, ft	0.306
br, ft	0.129
bs, ft	0.183
g <sub>h</sub>	0.023

		Model of Ref. 2				
,	η	×α	a,	$r_{\alpha}^{2}$	m	6
	0.05 .15 .25 .35 .45 .55 .65 .75 .85	-0.64 66 68 70 72 74 76 80	0.53 .55 .57 .59 .61 .63 .65 .67	0.66 .69 .72 .74 .77 .80 .83 .86 .89	0.00217 .00207 .00198 .00189 .00179 .00170 .00161 .00152 .00143	0.98425 95275 92125 88975 85825 82675 79525 76375 73225 70175

Frequency	Model of Ref. 2 Left and right		
f <sub>h</sub> l	135		
f <sub>h2</sub>	630		
f <sub>t</sub> l	425		
f <sub>bl</sub>	149		
f <sub>b2</sub>	519		
fal	265		
$(\omega_{b_1}/\omega_{a_1})^2$	0.3161		
$(\omega_{b_2}/\omega_{a_1})^2$	3.836		





TABLE I.- Continued

(b) 400 Plan Form

Parameter         Model of Ref. 2           NACA section         65A004           A         4           Λ, deg         0           λ         0.6           Panel λ         0.657           Span, ft         1.142           Ag         1.65           l, ft         0.445           br, ft         0.163           bg, ft         0.163		
A	Parameter	Model no. 1 and Model of Ref. 2
g 0.02	A Λ, deg λ Panel λ Span, ft Ag l, ft br, ft	4 0 0.6 0.657 1.142 1.65 0.445 0.163

<u> </u>	Model of Ref. 2; Mod			; Model no	. 1
η	×α	a	r <sub>a</sub> 2	m	θ
0.05 .15 .25 .35 .45 .65 .75 .85 .95	0.14 .12 .11 .09 .08 .06 .05 .03 .02 .004	-0.23 22 21 19 18 16 15 13 11	0.24 .25 .26 .27 .28 .28 .28 .27 .25	0.00738 .00716 .00671 .00617 .00563 .00509 .00455 .00400 .00345 .00291	0.98285 .94855 .91425 .87995 .84565 .81135 .77705 .74275 .70845 .67415

Frequency	Model of Ref. 2	Model	no. l	
rrequency	Left and right	Left	Left Right	
f <sub>hl</sub>	147	147	154	
<sup>t'</sup> h <sub>2</sub>	630	680	725	
f <sub>tl</sub>	407	390	404	
fal	402	385	399	
$(\omega_{\rm h_1}/\omega_{\rm a_1})^2$	0.133	0.146	0.149	
$(\omega_{h_2}/\omega_{\alpha_1})^2$	2.456	3.120	3.295	



WACA RM 155113e

TABLE 1.- Continued
(c) 430 Plan Form

Parameter	Models 1, 2, 3, 4, and 5
NACA section	65A004
A	4
Λ, deg	30
λ	0.6
Panel $\lambda$ Span, ft	0.657 1.142
A <sub>g</sub>	1.65 0.515
br, ft	0.149
b <sub>s</sub> , ft	0.163
g <sub>b</sub>	0.036

		Modelno. 1 (right)								
J)	x <sup>a</sup>	et.	ra <sup>2</sup>	ш	θ					
0.05 .15 .25 .35 .45 .55 .65 .75 .85	0.09 .08 .07 .05 .04 .02 .01 002 02	-0.16 15 14 12 11 00 08 07 06	0.22 .23 .23 .24 .24 .24 .24 .24	0.00864 .00781 .00718 .00658 .00602 .00554 .00510 .00470 .00432 .00394	0.98285 .94855 .91425 .87995 .84565 .81135 .77705 .74275 .70845					

	Mode:	l no. 1	Mode	1 no. 2	Model	no. 3	Model	no. 4	Model	no. 5
Frequency	Left	Right	${f L}{ m eft}$	Right	Left	Right	Left	Right	${f L}{ m eft}$	Right
f <sub>h</sub>	107	108	102	98	103	102	102	98	102	103
f <sub>h2</sub>	501	499	508	470	525	520	510	510	470	480
$^{\mathtt{f}}\mathtt{t}_{\mathtt{l}}$	350	339	370	340	342	350	328	3142	350	340
$\mathbf{f}_{\alpha_{1}}$	349	338	369	339	341	349	327	341	349	339
$(\omega_{\mu^{3}}/\omega_{\alpha^{3}})_{5}$	0.0939	0.1020	0.0763 1.8953	0.0834	0.0911	0.0853 2.22 <b>01</b>	0.0971 2.4324	0.0825 2.2368	0.0853 1.8136	0.0922 2.0048

# NACA RM 155Il3a

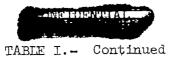
# TABLE I.- Continued

# (d) 445 Plan Form

Parameter	Models of Ref. 2, l and 2
NACA section  A A, deg  \( \lambda \)  Panel \( \lambda \)  Span, ft  Ag \( \lambda \), ft  br, ft  bs, ft  Sh	65A004 45 0.6 0.657 1.142 1.65 0.630 0.123 0.163 0.030

	Model of Ref. 2								
η	xα	a	$r_{\alpha}^{2}$	m	xα	a,	r <sub>a</sub> 2	m	θ
0.05 .15 .25 .35 .45 .55 .65 .75 .85 .95	-0.02 .01 .04 .07 .09 .12 .15 .17 .20	-0.07 10 13 15 18 21 24 26 29	0.22 .22 .23 .24 .24 .25 .26 .26 .27	0.00561 .00527 .00493 .00458 .00424 .00389 .00355 .00321 .00286	0.037 .030 .023 .016 .009 .002 005 012 018	-0.117110102095088082074067060053	0.233 .234 .235 .236 .237 .238 .239 .240 .241	0.00733 .00648 .00576 .00516 .00472 .00435 .00407 .00382 .00361 .00343	0.98285 .94855 .91425 .87995 .84565 .81135 .77705 .74275 .70855 .67415

Frequency	Modelof Ref. 2	Mode:	1 No. 1	Model No. 2		
4.0.14	Left and right	Left	Right	Left	Right	
f <sub>h</sub> 1	88	67	64	78	73	
f <sub>h2</sub>	462	357	367	399	387	
$f_{t_1}$ $f_{\alpha_1}$	370 361	356 356	342 342	389 389	378 378	
$\frac{\binom{\alpha \mu^5}{\alpha^2}\binom{\alpha \alpha^1}{\alpha^2}}{\binom{\alpha \mu^1}{\alpha^2}}$	0.0594 1.638	0.0354 1.006	0.0350 1.151	0.0402 1.053	0.0373 1. <b>0</b> 49	



(e) 452 Plan Form

Parameter	Model of Ref. 2
NACA section  A A, deg  \( \lambda \) Panel \( \lambda \) Span, ft  Ag  l, ft br, ft bs, ft Sh	65A004 4 52.5 0.6 0.657 1.142 1.65 0.732 0.107 0.163 0.021

		Mod	el of l	Ref. 2		
η	xα	x <sub>a</sub> a		$x_{\alpha}$ a $r_{\alpha}^2$ m		в
0.05 .15 .25 .35 .45 .55 .65 .75 .85	0.37 .30 .24 .17 .11 .04 -0.02 09 15	-0.44 37 31 24 18 11 05 0.02 .08 .15	0.27 .27 .29 .32 .29 .27 .27 .28 .30	0.00573 .00538 .00503 .00468 .00433 .00398 .00363 .00328 .00293 .00258	0.98285 .94855 .91425 .87995 .84565 .81135 .77705 .74275 .70845	

Frequency	Model of Ref. 2 Left and right
f <sub>hl</sub>	61
f <sub>h2</sub>	300
ftl	370
fal	366
$(\omega_{\rm h_1}/\omega_{\rm a_1})^2$	0.0282
$(\omega_{h_2}/\omega_{\alpha_1})^2$	0.6717



TABLE I .- Continued

(f) 460 Plan Form

Parameter	Models 1, 2, 3, 4, and 5
NACA section  A A, deg λ Panel λ Span, ft  A g l, ft br, ft bg, ft	65A004 4 60 0.6 0.657 1.142 1.65 0.892 0.086 0.163 0.027

	Mode	ls 1,	2, 3,	and 4					
η	$x^{\alpha}$	a	$r_{\alpha}^2$	m.	$\mathbf{x}^{\alpha}$	8.	$r_{\alpha}^2$	щ	θ
0.05	0.21	-0.31	0.26	0.00465	-0.136	0.040	0.230	0.00730	0.98285
.15	.14	<b></b> 23	.24 .23	.00438	144 152	.048	.231	.00668	• 94855 • 91425
•35	004	09	•23	.00383	<b></b> 160	.063	.237	.00562	87995
.45 .55	08 15	<b></b> 02	.24 .27	.00356	167 175	.071	.246	.00518 .00479	.84565 .81135
.65	22	.12	.30	.00320	183	.087	.252 .242	.00400	.77705
.75 .85	29 36	.19 .26	•35 •43	.00301	191 199	.095	.235	.00355	.74275 .70845
•95	<b></b> 43	•33	.51	.00283	207	.110	•232	.00305	.67415

Frequency	Model	no. 1	Mode	l no. 2	Model	no. 3	Model	до. 4	Model	no. 5
r r equency	Left	Right	Left	Right	Left	Right	Left	Right	Left	Right
f <sub>h1</sub>	34.5	34.9	39.5	39.5	39	43.5	41	43	36.5	37.8
fh <sub>2</sub>	178	195	193	189	202	210	205	225	175	178
f <sub>h</sub> 3		510	<u></u>		· ·				425	410
f <sub>t</sub> 1	363	370	430	390	390	421	430	435	452	480
fal	355	362	421	382	382	412	421	426	423	449
$\left  (\omega_{\rm h_1}/\omega_{\rm h_1})^2 \right $	0.0094	0.0093	0.0088	0.0107	0.0104	0.0111	0.0095	0.0102	0.0065	0.0062
$(\omega_{\rm h_2}/\omega_{\rm a_1})^2$	0.2514	0.2901	0.2101	0.2447	0.2795	0.2598	0.2371	0.2789	0.1063	0.1376
$(\omega_{h_3}/\omega_{\alpha_1})^2$		1.984				<u> </u>			0.8845	0.7299

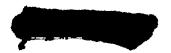


TABLE I.- Concluded

# (g) 645 Plan Form

Parameter	Modelof Ref. 2
NACA section  A A, deg  \( \lambda \) Panel \( \lambda \) Span, ft A a, ft br, ft bs, ft gh	65A004 6.4 45 0.6 0.646 1.400 2.75 0.813 0.094 0.127 0.013

•		Mode	el of Re	ef. 2	
J.	xα	a	ra <sup>2</sup>	m	θ
0.05 .15 .25 .35 .45 .55 .65 .75 .85 .95	0.15 .15 .14 .13 .13 .12 .11 .11	-0.25 24 23 23 21 21 20 20	0.26 .26 .25 .25 .24 .24 .24 .25 .28	0.00480 .00437 .00404 .00381 .00362 .00335 .00302 .00266 .00243	0.98230 .94690 .91150 .87610 .84070 .80530 .76990 .73450 .69910

Frequency	Modelof ref. 2 Left and right
f <sub>h</sub> l	46
f <sub>h2</sub>	227
ftl	522 ·
$f_{\alpha_1}$	505
$(\omega_{\rm hl}/\omega_{\rm rl})^2$	0.0083
$(\omega_{h_2}/\omega_{\alpha_1})^2$	0.2021



### TABLE II. - COMPILATION OF AMALITICAL AND TEST RESULTS

Wing panel behavior code: F - flutter

I - and of flutter (dynamic pressure increasing)

N - no flutter 0 - strain gages not working

D = low damping X - wing panel destroyed or not installed

Subscripts: 1 - associated with first occurrence

2 - associated with second occurrence of flutter during the run

of flutter during the run

### (a) 245 Plan Form

Model	₹Bun	<del>*™</del> oint	beha	penel wior	н,	v.√v.	ρ <sub>e</sub> plugs	μ <sub>e</sub>	γще	Φ <sub>s</sub> radians	σ <sub>R</sub> /σ <sub>h</sub>	n <sub>R</sub> radians	m <sub>e</sub>	യം/യു	٧.	V <sub>R</sub>	v <sub>e</sub>	ν <sub>R</sub>	q.	bsmt ∧πe
			Left	Right			ou it		, -	sec	L.,	sec.	sec		ft/sec	ft/sec	<sub>P</sub> ոտը	D.T.C.	ъ/ft <sup>e</sup>	part. Vic
(Ref. 2)	1 2 3	1 1 1		6 <b>7</b> 1 <b>7</b> 1 <b>7</b> 1	0.887 .900 1.138 1.139	1.47 1.47 1.47	0.0041 .0047 .0039 .0031	12.13 10.65 12.80 16.15		1665 1665 1665 1665	1.180 1.198 1.170 1.133	1965 1995 1948 1886	1684 1797 1847 1753	0.857 .901 .948 .929	896.0 958.6 1092.7 1101.3	683,7 648.8 697.1 761.2	5.09	3.18 3.02 3.25 3.54	1646 2159 2328 1862	0.8450 .9651 1.0017 .8991
н п п	5 6 7 8	1 1 1	r <sub>1</sub> r <sub>1</sub> r <sub>1</sub> r <sub>1</sub>	n n Fl	1.186 1.226 1.302 1.308	1.558 1.601 1.666 1.732	.0035 .0035 .0035 .0039	14, 15 14, 44 14, 15 12, 94	3.80	1665 1665 1665 1665	1.153 1.153 1.153 1.170	1920 1920 1920 1948	1860 1954 1973 1923	.969 1.018 1.028 .987	1131.7 1163.1 1210.7 1207.7	726.6 726.6 726.6 69 <b>7</b> .1	5.42 5.64	3.38 3.38 3.38 3.25	2241 2367 2565 2644	.9878 1.0045 1.0568 1,1010
11 11 11	18 17 10 9	1 1 1	n n n	Fi Fi I	1.267 .924 1.099 1.099	1.673 1.333 1.446 1.391	.0038 .0039 .0033 .0029	13.02 12.68 14.98 17.32	3.56	1665 1665 1665 1665	1,168 1,170 1,145 1,123	1945 1948 1906 1870	2004 1766 1784 1552	1.030 .907 .936 .830	1177.2 929.2 1074.7 1085.5	703.8 697.1 743.3 780.6	4.33 5.00	3.28 3.25 3.46 3.63	2633 1655 1906 1708	1,0702 8566 9114 8564



Rum - A rum is defined as one operation of the blowdown tunnel from valve opening to valve closing.

<sup>\*\*</sup> Point - Chromological order in which recorded points occurred during the test run.

TABLE II.- Continued

(b) 400 Plan Form

									(b)	400 PL	n Form									
Hodel	Run	Point		penel vior Right	Иę	v./•/•R	elnes en ft	μ <sub>e</sub>	<b>√</b> μ <sub>•</sub>	radians sec	<sup>∞</sup> B/ <sup>2</sup> a	m <sub>H</sub> radians sec	radians	one/kodi	V <sub>e</sub> ft/sec	V <sub>R</sub> ft/#ec	₹ Trang	$\frac{v_{R}}{b_{1}e_{0}}$	е. 1ь/ft <sup>2</sup>	¥ը Ծ <b>ո</b> ժե <b>/№</b>
(Ref. 2)	ı e	1 2 1 2	H	p <sub>1</sub> F <sub>1</sub> p <sub>1</sub> r <sub>1</sub>	0.890 .919 .886 .906	0.961 .997 .970 .991	0.0031 .0031 .0031 .0032	28, 32 28, 06 27, 89 27, 44	5.26	2726 2726 2726 2726 2726	0. <b>1550</b> 0 .3480	896.7 879.0	1058 1062	1.180 1.208	874.8	914.1 905.8 901.7 897.6	2.125	2.19	1184.4 1263.1 1193.2 1253.1	0.3547 .4138 .4024 .4122
	3 4	1 2 1 2	H	D <sub>1</sub> F <sub>1</sub> D <sub>1</sub> F <sub>1</sub>	.917 .986 .975	.956 1.021 .973 .990	.0028 .0028 .0027 .0029	30.77 30.58 32.21 30.36	スガ 5.73 5.88 5.74	2526 2526 2526 2526 2526	.3628 .3725	916.4 940.9	1070	1.137	901.1 958.3 941.2 933.8	942.9 938.7 967.6 942.9	2.290	2.29 2.28 2.33 2.29	1147.4 1305.8 1196.0 1261.4	.3943 .1209 .1024 .1116
	5	1 2 1 8 3	D1 F1 D1 D1 T1	и п D1 D1 Г1 г1	984 1.027 1.336 1.333 1.338 1.318	98 98 1,380 1,380 1,380	.002% .0025 .0026 .0032 .0032 .0035	36.84 35.13 31.08 27.14 27.30 24.92	5.57 5.21 5.22	2526 2526 2526 2526 2526 2526	. 1002 	1010.9 	1057 	1,587	968.3 1000.0 1208.0 1197.2 1198.7 1179.0	1021.1 1008.8 951.1 893.5 897.6 860.5	2.911	2.45 2.31 2.17 2.18	1125.0 1250.0 2043.0 2293.3 2299.0 2432.6	.3906 .4096 .5267 .5581 .5577 .5738
	8	1 2 3 4 1 2 3	D1 N D1 D1 D1 D1 F1	D <sub>1</sub> F <sub>1</sub> E <sub>1</sub> F <sub>2</sub> D <sub>1</sub> F <sub>1</sub>	.941 1.051 1.154 1.227 1.034 1.100 1.227	.938 1.025 1.121 1.253 1.015 1.081 1.255	0826 0826 7800 0825 0825 0826	32.17 27.15 31.15 33.45	5.78	2526 2526 2526 2526 2526 2526 2526 2526	.3903 .3597 .3902	965.9 890.9 965.6	1818 1857 1204	1.411	923.0 1008.7 1005.0 1119.3 1015.6 1063.5 1150.8	984.1 984.1 967.6 893.5 1000.5 984.1 918.2	2.718 2.467 2.583		1107.5 1322.7 1589.3 2004.5 1289.3 1470.3 1993.4	.3878 .4238 .4648 .7238 .4188 .4469
	15 10 10 6	1 1 2 1 2	F <sub>1</sub> D <sub>1</sub> F <sub>1</sub> D <sub>1</sub>	T T T T	1,009 .950 .878 .926 .863 .949	1.039 .979 .978 1.031 .912 .990	.0029 .0028 .0033 .0034 .0026 .0029	96,39 85,52 31,02		2586 2586 2526 2526 2526 2526 2526	.3710 .3770 .3418 .3692	937.1 952.3 663.4 	1126 1100 — 1156 — 1112	1.202 1.155 — 1.339 — 1.192	973-5 931-1 861-7 899-8 867-5 985-7	881.1 872.9 951.1	2.359 2.262 2.093 2.165 2.107 2.248	2.14 2.12 2.31	1379.8 1214.5 1225.2 1376.4 1053.6 1242.5	.4316 .4066 .4060 .4327 .3783 .4118
	13 14 15	1 2 1 2	r <sub>1</sub> r <sub>1</sub> r <sub>1</sub> r <sub>1</sub> r <sub>1</sub>	I X X X	1,017 .930 1,017 1,264 1,259	1.014 .948 1.008 1.324 1.391	.0026 .0027 .0027 .0034 .0039	32.17 32.66 25.56	5.67 5.71 5.06	තුණ කුණ කුණ කුණ කුණ කුණ	.3898 .3895 .3890	984.6 973.8 	1185: 1185: 1183		993.3 917.3 963.2 1156.1 1134.1	975.8 872.9	2,419 2,226 2,388 2,808 2,754		1282.6 1135.9 1305.0 9273.2 2508.1	.1181 .3929 .1182 .5549 .5836
	16 17 18	2 3 1 1 2	71 72 71 71 71	1 1 1 1	.968 1.267 1.262 1.052 1.348 1.328	.983 1,260 1,280 1,014 1,420 1,471	.0026 .0030 .0031 .0025 .0036	28.95 27.66 34.43 24.13	5.38 5.26 5.87 4.91	2526 2526 2526 2526 2526 2526	.3870 .3560 .3960 .3160	977.6 699.3 1000.3	1115 1348 1119 	1,199 1,119 —	958.9 1161.8 1154.0 1014.4 1204.2 1187.4	922.3 901.7 1000.5 848.2	2.925	2.37 2.24 2.19 2.43 2.06 1.96	1195.3 2024.7 2064.2 1266.3 2610.2 2819.8	.4064 .5645 .5328 .4197 .5956 .6188
1 1 1 1 1	19 20 21 22	1 1 1 2	D <sub>1</sub> F <sub>1</sub> F <sub>1</sub> F <sub>1</sub> D <sub>1</sub> F <sub>1</sub>	XXXXX	1.411 1.383 .920 .943 1.032 1.145	1.387 1.444 1.001 .996 1.004 1.079	.0029 .0033 .0025 .0024 .0021 .0020		5.95 6.06 6.51	2,556 2,455	.3175 .4015 .4090 .1388 .1140	877.8 972.4 990.6 1062.8 1075.4	1466 1112 1081 1125 1125	1.670 1.144 1.051 1.059		970.6 986.4	2.460 2.469 2.680	2.27 2.14 2.46 2.50 2.67 2.70	2438.h 2671.8 1179.0 1158.8 1175.8 1320.7	.7/7/ .6024 .4134 .4106 .4117 .4417
1 1 1	23 24	1 2 1 2	P <sub>1</sub> P <sub>1</sub> P <sub>1</sub> F <sub>1</sub>	I	1.050 1.105 .075 .904	1.024 1.059 .976 1.006	.0023, .0023, .0026 .0026	41. 81 42. 34 33. 50 33. 13	6.51	2422 2422 2421 2422	.4386 .3890	245.8 1065.8	1106	1.041	1070.2 1115.6 920.1 945.0	1045.5 1053.4 943.0 939.0		2.65 2.67 2.39 2.38	1202.6 1306.8 1100.6 1160.9	.4190 .4341 .4025 .4156
5 5 7	25 26 27	1 1 1 2	F <sub>1</sub> F <sub>1</sub> E	r r r	.665 1.301 1.333 1.328	1,013 1,262 1,426 1,476	.0029 .0024 .0029 .0032	30, 10 36, 59 29, 98 27, 48	5.99 6.09 5.48 5.84	2422 2422 2422 2422	.3708 .4080  .3545	898.1 988.2 858.6	1175 1282 1319	]	907.3 1279.6 1277.1 1269.7	962.4	2.298 3.191 3.235 3.216	2.27 2.49 2.27 2.18	1193.6 1903.9 23 <b>6</b> 1.9 2579.1	.1186 .5274 .5909 .6138



### TARIX II. - Continued

### (c) 430 Plan Form

Model	Run	Point		panol avior Right	н <sub>е</sub>	v <sub>o</sub> /v <sub>R</sub>	Po slngs cu ft	μ <sub>o</sub>	νμ_	m <sub>o,</sub> rediens	ode ∖ar	ω <sub>R</sub> radians	m <sub>e</sub> radians	on <sub>e</sub> /on <sub>R</sub>	V <sub>o</sub> ft/sec	V <sub>R</sub>	A <sup>c</sup>	<u>ρ<sup>L</sup>ω</u> r	q <sub>e</sub> υ/ft <sup>2</sup>	ν <sub>e</sub> <u>δμα<sub>κ</sub> γμ</u>
1 1 1 1	1 2	1 2 1 2	D <sub>1</sub>	D <sub>1</sub> F <sub>1</sub> D <sub>1</sub> F <sub>1</sub>	0.774 .796 1.369 1.360	1,074 1,121 1,763 1,891	0.0030 .0032 .0035	ho.07 38.17 34.90 27.76	6,33 6,18 5,91 5,27	2159 2159 2159 2159	0.5373 .5588	1160 1206	1100 1596	0.948	816.4 836.0 1268.5 1246.0	759.B 745.7 719.6 658.8	2.599 3.943	2.362 2.318 2.237 2.048	1000 1118 2816 3416	0.3665 .3814 .6099 .6718
1 1 1 1	3	1 2 3 4	F <sub>1</sub> D <sub>2</sub> F <sub>2</sub>	P <sub>1</sub> B <sub>1</sub> D <sub>2</sub> F <sub>2</sub>	.899 .963 1.168 1.158	1,140 1,199 1,553 1,623	.0025 .0025 .0032 .0037	48.86 48.86 38.17 33.01	6,99 6,99 6,18 5,74	2159 2159 2159 2159	.5188 .5188 .5478	1783 — 1750 1750	993 — 1433	.887 _ 1.211	937.1 986.1 1157.0 1142.9	822.2 822.2 745.0 704.2	3.065 3.597	2,556 2,556 2,316 2,189	1098 1215 2112 2116	.3811 .4009 .5320 .5658
1 1 1	4	न ल कम	7 <sub>1</sub> 1 <sub>2</sub> 1 <sub>2</sub>	7 <sub>1</sub> 1 <sub>1</sub> 1 <sub>2</sub> 1 <sub>2</sub>	.913 .959 1,249 1,251	1.100 1.148 1.634 1.727	.0022 .0022 .0032 .0037	55.52 55.52 38.17 33.01	7.45 7.45 6,18 5.74	2159 2159 2159 2159	  .5478	1783  1783	942 — — 1451	  1.226	972.4 994.4 1217.4 1216.2	866.0 866.0 745.0 704.2	3.091 3.784	2.692 2.692 2.316 2.189	998 1088 2371 2736	.3633 .3793 .5596 .6021
1 2 2	5 6 7	1 2 1	0 0 <b>y</b> 1 <b>1</b> 1	7 <sub>1</sub> 7 <sub>1</sub> 7 <sub>1</sub>	. 850 . 884 . 850 . 820	1.135 1.172 1.068 1.034	.0029 .0029 .0026 .0026	42.11 42.11 46.98 46.98	6.49 6.49 6.85 6.85	2125 2125 2227 2227	.5303 .5303 .5217 .5217	1127 1127 1161.8 1161.8	1024 — 1037 999	.909  .892 .960	865.1 893.4 894.0 863.0	762.4 762.4 834.9 834.9	2.732 2.822 2.694 2.601	2,408 2,516	1085 1157 1039 968	.3848 .3974 .3595 .3471
8 8 8 8 8	8	3	r <sub>1</sub> E1 T D <sub>2</sub> T <sub>2</sub>	F1 F2 F2	.855 .947 1.227 1.219 1.235	1,027 1,120 1,669 1,620 1,732	.0023 .0023 .0034 .0041	53.11 53.11 35.93 29.79 24.93	7.29 7.29 5.99 5.46 4.99	2227 2227 2131 2319 2319	.5141 .5141 .5418 	1145 1145 1154.6 — 1311.6	97.5 1133 — 1571	.834 1.241 1.198	900.3 984.0 1199.0 1178.4 1177.6	877.0 877.0 718.2 727.3 680.0	2.643 3.776 3.410	2.643 2.643 2.262 2.105 1.968	932 1113 2444 2847 3398	.3261 .3402 .5763 .5710 .6243
2 2 2 2	9	1 2 3	F <sub>1</sub> n <sub>2</sub> F <sub>2</sub>	G G G	.833 .994 1.129 1.130	.997 1,192 1,461 1,544	.0025 .0027 .0035 .0041	48.86 45.24 34.90 29.79	6.99 6.73 5.91 5.46	2319 2319 2319 2319	.5188 .5248 — .5543	1203.1 1217.0 — 1285.4	968 — 1458	.804 — — 1.134	884.0 1024.0 1129.3 1123.4	883.2 855.9 773.0 727.3	2.558 2.964 3.268 3.251	2.477 2.237	977 1416 2232 2587	.3346 .4025 .5055 .5443
2 2 2 2	10	1 2 3 4	$r_1$ $r_2$ $r_2$	G G G	.848 .995 1.088 1.095	1.012 1.186 1.353 1.437	.0025 .0027 .0031 .0036	48.86 49.24 39.40 33.93	6.99 6.73 6.28 5.82	2319 2319 2319 2319 2319	.5186 .5246 	1203 1216 — 1266	999 — 1389	.830  1.097	894 1018 1096 1099	883.2 855.9 810.3 764.7	2.587 2.946 3.172 3.181	2,477	999 1399 1862 2174	.3384 .4002 .4617 .4996
2 2 2 2 2	11 12	1 1 2 3	r <sub>1</sub> r <sub>1</sub> r <sub>2</sub> r <sub>2</sub>	Y1 X X X X	.814 .895 .930 1.172 1.161	1.035 1.040 1.066 1.449 1.533	.0026 .0024 .0032 .0038	46.98 50.90 50.90 38.17 32.14	6.85 7.13 7.13 6.18 5.67	2227 2319 2319 2319 2319 2319	.5217 .5152 .5152 .5493	1162 1195 1195  1274	1005 930 — 1363	.865 .778 — — 1.070	864 934 975 1160 1147	834.9 898.0 898.0 800.6 748.4	2.822 3.357	2,599 2,599	970 1047 1141 2153 2500	.3475 .3466 .3618 .4966 .5352
3 3 4 5 5	13 14 15	1 2 1 1 2	P1 F1 P1 P1 F1	D1 F1 D1 F1	.746 .750 .780 .785 .812	1,055 1,061 1,045 1,118 1,163	.0031 .0034 .0026 .0034 .0035	39.43 35.95 46.97 35.95 34.92	6.28 6.00 6.85 6.00 5.91	2169 2169 2100 2159 2159	.5\16 .5216 .5416	1175 1095 — 1169.3	1068 1056 — 1097		800.0 791.1 822.7 814.8 837.5	758.2 732.0 786.9 728.6 719.9	2.475 2.448 2.629 2.535 2.603	2,265 2,515 2,267	992 1064 880 1129 1227	.3603 .3729 .3509 .3661 .3966



TABLE II. - Continued

(d) 445 Flan Form

				perel rior	н,	ਚ./ਵ	ρ.	4	VÆ.	On radians		<b>e</b> R	n <sub>e</sub>	- /-	٧.	<b>v</b> <sub>R</sub>	V <sub>e</sub>	v <sub>R</sub>	q.	۳.
Hodel	Parm,	Point	Left		~	Ve/VR	ou it	μ <sub>e</sub>	Ane	500	σ <u>8</u> /σ <sub>α</sub>	radians seo	100	••∕• <sub>R</sub>	ft/sec	ft/sec	b <sub>r</sub> -t	<del>P_</del>	љ/rt <sup>2</sup>	p of Ag
(Nef. 2)	1 2 3 4 5	1 1 1 1	F <sub>1</sub> F <sub>1</sub> F <sub>1</sub> F <sub>1</sub> F <sub>1</sub>	ה הלילות הלי	0.813 797 .863 .863 .906	1.032 1.039 1.036 1.030 1.047	0.0033 .0031 .0028 .0026 .0026	37.10 39.49 43.72 43.72 47.08	6.68 6.68 6.68 6.68 6.68	2268 2268 2268 2268 2268 2268	0.5295 .5265 .5160 .5160 .5095	1200.5 1200.9 1170.3 1170.3 1155.5	1047 1047 995 — 995	0.871 .872 .850 — .861	805.4 795.6 856.0 850.7 887.7	780.4 765.8 8≥5.8 8≥5.8 848.1	3.04	2.96 2.96	1070 981 1026 1013 1324	0.3577 .3*27 .3507 .3481 .3500
:	6 7	1 2 34	Fi H Fi Fi	r <sub>1</sub> D <sub>1</sub> F <sub>1</sub> r <sub>1</sub>	.904 1,396 1,376 1,326 1,340	1,069 1,587 1,641 1,800 1,830	,0027 ,0029 ,0034 ,0048 ,0054	45.34 42.21 36.01 25.50 26.67	65888 66888 66888	2268 2268 2268 2268 2268 2268	.5126 .5192 .5322 .5569 .5643	11.63.0 11.77.5 1207.0 1263.0 1279.8	958 1585 	.824 1.313 1.371	888.8 1296.7 1267.8 1215.0 1214.8	837.0 817.4 772.7 675.1 663.9	トカ	2.17	1067 2439 2732 2067 3984	.307 .539 .571 .650 .690
	8 9	1 2 1 2	) 1 7 <sub>1</sub> 7 <sub>1</sub>	7 <sub>1</sub> 7 <sub>2</sub> 7 <sub>1</sub> 1 <sub>1</sub>	1.023 1.361 -975 1.301	1,095 1,614 1,124 1,540	.0021 .0033 .0024 .0031	59.73 36.88 51.83 38.99	7.73 6.07 7.16 6.24	2268 2268 2268 2268 2268	.4870 .5302 .5016 .5255	1104.5 1202.4 1137.6 1191.8	1119 1510 1121 —	1.013 1.281 .985 —	1011.0 12 <b>5</b> 6.0 961.0 1224.0	923.0 778.0 873.0 795.0	3.51	3.13	1073 2603 1155 2322	.353 .559 .370 .530
17 18 18 18	10 12 18 13	1 1 1 2	7 <sub>1</sub> 7 <sub>1</sub> 7 <sub>1</sub>	71 71 71 71 72	55 kg 561 1.3%	1,125 1,052 .972 1,065 1,600	.0025 .0026 .0028 .0022 .0035	19.77 17.08 13.72 55.64 31.98	7.05 6.86 6.61 7.46 5.92	2968 2268 2268 2268 2268	.5047 .5095 .5160 .4938 .5342	1144.6 1155.5 1170.3 1120.0 1212.0	1023 1040 1063 1096 1570	.906 .906 .978 1.295	973.0 921.0 803.3 996.0 1283.0	865.0 875.0 825.8 901.1 764.4	2,88	3.04 2.96 3.23	1183 1103 903 1005 2618	.373 .363 .384 .394
1 1 1	14 15	1 2 1 2	I	71 81 71 81	940 1,039 888 1,049	1,059 1,129 1,007 1,140	.0018 .0017 .0009 .0007	80.93 85.69 76.67 85.69	9.00 9.26 6.16 9.26	2149 2149 2149 2149	.4019 .4078	863.6 876.3	859 856	.995 .980	977.0 1062.0 908.0 1073.0	982.4 940.9 901.3 940.9	3.43	3.41	952 768 1,004	.309 .327 .295 .334
1 1 1 1	16	1 2 3 4	F1 c d 0 F1	71 11 12 12	.871 1.175 1.293 1.292 .890	1,041 1,336 1,705 1,741 1,044	,0024 ,0020 ,0037 ,0038 ,0026	60,70 72.84 39.37 30.34 56.03	7.79 8.53 6.27 6.19 7.49	2195 2119 2119 2119 2119 2257	.4385 .4733 .4736 .4488	949.3 1012.7 1017.7 984.6	919 — 1460 988	,968 — 1,435 .997	682.0 1183.0 1217.0 1233.0 879.0	847.5 885.4 713.6 708.3 841.9	4.48 4.60 4.66	3.35 2.70 3.63	922 1426 2753 2920 996	.316 .396 .598 .568
8 8 8	18	1 2 1 2	D1 F1 D1 F1	6 6 0	1,348 1,346 1,219 1,192	1,643 1,712 1,423 1,445	.0041 .0049 .0033 .0037	35.53 89.73 44.15 39.37	5.96 5.45 6.64 6.87	5444 5444 5444	. k985	1203.8 1151.7	1591 1302	1,130	1289.0 1271.0 1202.0 1173.0	784.7 742.6 844.8 811.7	4.23 4.00	2.47	3911 3979 2386 2537	.% .% .49 .46
8 8 8	20 21 22	1 1 1	D1	0 0 0 p <sub>1</sub> 71	1,204 1,186 ,836 1,307 1,332	1.411 1.464 1.063 1.600 1.682	.0033 .0039 .0025 .0057	以 37-35 第-27 59-37 第-31	6.64 6.11 7.63 6.27 5.75	2444 2444 2444 2375 2375	.4756 .4369 .4713 .4848	116e.4 1067.9 1119.3 1151.4	1373 900 — 1539	1.337	1192.0 1166.0 997.0 1262.0 1273.1	844.8 804.4 929.0 788.8 744.9	3.88 3.32 4.32	2.68 3.09 2.70	2328 2626 1104 2946 3454	. 159 . 170 . 321 . 321 . 329
2 2 2 2 2	23	1 9 3 4 1	71 21 3 7	F <sub>1</sub> D <sub>2</sub> F <sub>2</sub> F <sub>1</sub>	.602 1.149 1.285 1.283 .854	.980 1.153 1.588 1.591 1.037	.0020 .0020 .0033 .0038	66.82 72.84 14.15 38.34 22.05	6.6	2410 2410 2375 2375 2410	.1637 .1618 .1736 .1475	1021.1 1096.8 1124.8 1078.5		1.329	939.8 1173.9 125.0 1247.8 912.8	960.0 993.0 820.9 782.9	3.96 4.29 4.26	3.35 2.81 2.68	.971 1378 2595 2949 1166	.35 .48 .51 .32
2 2 2 2 2 2	25 26	1 2 3 4	71 71 72 72 71	F). G G G	.908 1.005 1.112 1.176 .874	1.033 1.184 1.242 1.306	.0024 .0023 .0026 .0025	60.70 63.34 56.03 52.03 52.03 52.03	7.49	2410 2444 2444 2444	.4326 .4402 .4475 .4367	1142.6 1075.9 1093.8 1067.4	=	.892  1.019 .836	1116.1 1142.3 1166.4	931.0 943.0 920.0 892.9 929.0	3.76 3.80 3.80	3.18 3.06 2.97	1109 1432 1696 1905 1072	.31. .35 .36 .40
ପ ପ ପ ପ ପ ପ	27 28 29 30	1 2 1 2 1		0 0 0	.920 1.055 1.212 1.219 .846 .877	.994 1.097 1.450 1.508 .960	.0022 .0021 .0035 .0039 .0084	66.22 69.37 41.35 60.70 60.70	6.33 6.45	24.54 24.54 24.54 26.54 26.54 26.54	.4665 .4755 .4324 .4324	1035.4 1140.2 1162.2 1056.9 1056.9	886	.759  1.157 836 850	1005.3 1199.2 1201.6 906.2	796.7	3.60 3.99 4.00 3.00	3.29 2.75 2.65 3.14	1050 1237 2517 2815 905 1052	.29 .36 .49 .29



TARIX II. - Continued

### (e) 152 Plan Form

Model	Run	Point		panel svior Right	м <sub>е</sub>	<b>v</b> •∕v <sub>R</sub>	eluga cu ft	μα	怦	n <sub>t</sub> radians	œ <sub>R/</sub> mt.	og radians sec	m <sub>e</sub> radians sec	me/mg	V <sub>e</sub> ft/sea	V <sub>R</sub>	<u>∀</u> ը <u>Ի</u> լ	<b>v</b> <sub>R</sub>	q <sub>e</sub> 15/ft <sup>2</sup>	<u>թ</u> աժար <u>իր</u> ա
(Ref. 2)	2	1 2 3 1	D D T T T	r <sub>1</sub> r <sub>1</sub> r <sub>1</sub>	0.817 .824 .821 .900	0.916 .938 .951 .963	0.0032 .0035 .0037 .0029	51,59 47,59 44,26 57,36	7.18 6.90 6.66 7.57	2300 2300 2300 2300 2300	0.4748 .4830 .4900 .4638	1092 1111 1127 1067	1005 — 999 906	0.920  .886 .849	847.7 845 835 924.7	925.3 901. 878 979.8	3. 44 3. 43 3. 39 3. 76	3.76 3.66 3.57 3.90	1150 1250 1290 1240	0.3149 .3266 .3344 .3258
11 70 86 77 91	3	1 2 1 2 3	D1 F1 F1 D2 F2	0 0 0 0	.932 1.001 1.118 1.290 1.386 1.412	.967 1.038 1.023 1.126 1.275 1.297	.0027 .0028 .0021 .0020 .0027	60.26 59.24 77.31 81.12 61.67 60.99	7.76 7.70 8.79 9.01 7.86 7.82	2300 2300 2300 2300 2300 2300	. 4582 1. 4600 	1054 1058 — 1047 1050	964 	.911   1.082	945.2 1006.5 1089.7 1822.5 1255 1271	977 969.6 1065.6 1085.3 984 980	3.84 4.09 4.43 4.97 5.10 5.16	3.97 3.94 4.33 4.41 4.00 3.28	1206 1418 1247 1494 2126 2181	.3249 .3487 .3307 .3619 .4259 .4335
п п п	5	1 2 3.4 <b>1 2</b>	F <sub>1</sub> E <sub>1</sub> D <sub>2</sub> F <sub>1</sub> F <sub>1</sub>	9 9 9 9 9	1.123 1.200 1.356 1.119 1.006 1.066	1.042 1.082 1.270 1.316 .993 1.038	.0022 .0021 .0027 .0027 .0024 .0025	75.51 78.83 60.68 60.21 67.24 67.19	8.69 8.88 7.79 7.76 8.20 8.20	2300 2300 2300 2300 2300 2300	.4313 -4573 .4582 .4455 .4455	992 — 1052 1054 1025 1025	1005 	1.013 	1102.7 1163.4 1244.3 1285.6 1009.5 1055.4	1058.2 1075.5 979.5 977 1016.4 1016.4	4.48 4.73 5.06 5.22 4.10 4.29	1.30 1.37 3.98 3.97 1.13 1.13	1338 1421 2090 2231 1223 1392	.3385 .3495 .4261 .4419 .3284 .3433
# # H	7 8 9	1 2 1 2		g g m r <sub>l</sub>	991 1.103 1.285 1.189 1.223	.980 1.062 1.123 1.082 1.122	.0024 .0024 .0022 .0024 .0025	67.77 69.16 75.27 68.96 65.30	8,23 8,32 8,68 8,30 8,08	2300 2300 2300 2300 2300 2300	.4445 .4420 .4315 .4425 .4490	1.022 1017 992 1018 1033	942 1062 1100	.926 	998.1 1089.9 1185.2 1107.3 1127	1018.9 1026.2 1055.8 1023.8 1004.1	4.06 4.43 4.82 4.50 4.58	4.17 4.29 4.16 4.08	1195 1425 1545 1471 1588	•3235 •3494 •3642 •3558 •3720
H H	10 11 12 13	1 1 1 2	71 71 71 71 6	F1 F1 F1 F1	1,006 1,023 1,097 .660 .797	1.016 1.030 1.041 .894 .941	.0029 .0030 .0026 .0066	56.24 55.32 64.15 24.95 39.43	7.50 7.44 8.01 5.00 6.28	2300 2300 2300 2300 2300 2300	4657 4674 4510 5008	1071 1075 1037 — 1152	1068 1062 1049 1144 1037	.997 .968 1.012 -900	967.7 975.7 1037.5 653 794.1	952.4 947.5 996.7 730.9 844.1	3.93 3.96 4.22 2.65 3.23	3.87 3.85 4.05 2.97 3.43	1358 1428 1399 1407 1324	.3142 .3498 .3455 .3484 .3373



### TABLE II. - Continued

# (f) 460 Plan Form

Model	Brum,	Point		penel avior Right	Кę	v•/v <sub>R</sub>	ρ <sub>e</sub> slugs on ft	μ <sub>e</sub>	√μ-	m <sub>t</sub> , radians	α <sup>E</sup> \αστ	og radiene	n <sub>e</sub> radians	ω <sub>e</sub> /mg	Ve ft/sec	V <sub>R</sub>	A <sup>e</sup>	v <sub>n</sub>	а <sub>е</sub> 15/ft <sup>2</sup>	γ <sub>e</sub>
1 1 1 1 1	1 2 3	1 2 1 2 3	F <sub>1</sub> F <sub>1</sub> F <sub>1</sub> F <sub>1</sub> F <sub>1</sub> F <sub>1</sub>	H F1 H H D1 F1	1.316 1.304 1.003 .986 1.019 1.032	1.114 1.121 1.001 .986 1.025 1.037	0.0020 .0020 .0029 .0028 .0029	120,19 86,16 86,37 85,20 84,61	9.28	2275 2276 2276 2275 2255	0.3104 .3378 .3377 .3387 .3393	700 768.8 768.6 763.8 765.1	804.2 791.7 779.1	1.149 1.030 1.014	1222.2 1213.4 985.7 970.6 996.1 1005.3	1097 1082.1 984.6 984.6 971.6	6.26 5.04 4.96 5.14 5.18	5.58 5.03 5.03 5.01 5.00	1472 1409 1319 1439 1465	0,3012 .2863 .2816 .2936 .2973
1 1 1 1 1 1	ь 5 6	1 2 1 2 1	F <sub>1</sub> F <sub>1</sub> F <sub>1</sub> F <sub>1</sub>	D <sub>1</sub> P <sub>1</sub> N P <sub>1</sub> P <sub>1</sub> P <sub>1</sub>	979 989 960 960 918	981 1.009 972 982 991	.0030 .0030 .0030 .0030	82.40 81.42 82.26 82.51 81.99	9.08 9.02 9.07 9.08 9.05	2255 2255 2276 2276 2855 2255	.3412 .3422 .3414 .3412 .3418	769.4 771.7 771 769.4 770.8	760.3 760.3 716.3 716.3 678.6	.988 .985 .922 .931 .880	945.6 968.9 945.1 946.5 914.7	963.8 960 972.8 963.8 961.9	4.88 5.00 4.83 4.88	4.97 4.95 4.97 4.97 4.96	1341 1408 1340 1344 1255	.2833 .2922 .2809 .2836 .2750
2 2 2	7 8 9	1 2 1 1 2	н Р1 Р1 Н Р2	r <sub>1</sub> r <sub>1</sub> r <sub>1</sub> r <sub>1</sub> r <sub>1</sub>	1.039 1.076 985 1.068 1.062	1.047 1.043 .970 1.039 1.012	.0032 .0032 .0031 .0030 .0031	75.83 76.73 78.76 80.83 78.95	8.99	2399 2522 2522 2399 2522	.3344 .3240 .3222 .3300 .3200	802.2 817.1 812.6 791.7 812.1	873.4 873.4 873.4 823.1 873.4	1.061 1.069 1.075 1.040 1.075	995.6 1022.7 961.7 1008 1003.3	951.1 980.3 991.2 969.7 991.2	4.83 4.72 4.43 4.89 4.63	4.61 4.52 4.57 4.70 4.57	1586 1673 1434 1524 1560	.2923 .2840 .2634 .2867 .2745
2 2 2 2	10 11	- 1 1 2 . 3	F) H D) F)	F <sub>1</sub> F <sub>1</sub> F <sub>1</sub>	1.286 1.120 1.127 1.127	1.050 1.034 1.031 1.023	.0021 .0027 .0028 .0028	115.17 89.88 86.80 87.04	9.48	2522 2399 2522 2522	.2945 .3223 .3155 .3153	742.7 773.2 795.7 795.8	829.4 823.1  867.1	1.117 1.065  1.090	1179.3 1039.8 1043.5 1045	1123.5 1005.8 1021.6 1021.6	5.44 5.04 4.81 4.82	5.18 4.87 4.71 4.71	1460 1460 1524 1529	.2674 .2805 .2724 .2724
2 2 2 2 2	12 13 14	. 1 2 3 1	N D1 P1 F1 F1	F <sub>1</sub> F <sub>1</sub> F <sub>1</sub> F <sub>1</sub>	1,103 1,103 1,103 1,178 ,821	1.061 1.031 1.031 1.003 .902	.0030 .0030 .0030 .0030 .0050	80.83 80.83 80.83 99.66 49.28	8,99 8,99 9,98	2399 2582 2522 2645 2522	.3300 .3206 .3206 .2967 .3500	791.7 808.6 808.6 784.8 882.7	829.4 873.4 860.8 867.1	1.048 — 1.080 1.097 .982	1028.5 1028.5 1028.5 1029.3 772.6	969.7 997.7 997.7 1096.4 856.7	4.99 4.74 4.74 4.83 3.56	4.70 4.60 4.60 4.82 3.95	1587 1587 1587 1511 1192	.2926 .2783 .2974 .2555 .2677
ଫ ପ ପ ପ ପ ପ ପ	15 16 17	1 2 1 2 1 2			1.356 1.374 1.269 1.294 .924 .888	1.039 1.049 1.004 1.037 .989	.0020 .0021	124.64 123.77 117.71 113.16 78.19 66.27	11.13 10.85 10.64 8.49	2645 2645 2645 2645 2399 2399	.2800 .2840 .2871 .3485 .3561	740, 6 751, 8 759, 4 836 854, 3	873.4 873.4 791.7 898.5	1.179 1.150 .947 1.052	1226.5 1238.1 1164.7 1184.8 958.7 923	1180.6 1180.6 1160.1 1143 969.7 940.8	スター 39年12月 50年 447	5.19 5.19 5.19 5.00 5.70 6.56	1504 1534 1424 1544 1562 1576	.2549 .2581 1.2490 .2583 .2888 .2900
14 14 15	18 19 20	1 2 1	R X F1	P <sub>1</sub> D <sub>1</sub> F <sub>1</sub> F <sub>1</sub>	.837 .928 .937 .867	873 993 1,060	.0043 .0044 .0049 .0046	57.03 55.73 50.04 67.50	7.46	2676 2676 2676 2821	.3689 .3703 .3791 .2750	987.2 990.9 1014.5 775.8	889.1 — 925.5 863.9	.901 .912 1.114	870.3 943.1 947.2 905.4	996.5 989.6 932.8 854	3.78 4.10 4.12 3.73	4.33 4.30 4.14 3.52	1628 1957 2198 1885	.2643 .2898 .3071 .2390



TABLE II. - Concluded

# (g) 645 Plan Form

Model.	Rum	Point		panel sylor Right	н <sub>е</sub>	V <sub>e</sub> /V <sub>R</sub>	Pe eluga cu ft	μ	ή <del>τ</del> .	o <sub>r</sub> radiana sec	œ <sub>R</sub> /π <sub>α</sub> ,	og radiens	m <sub>e</sub> redians	æ_∕*ºR	V <sub>a</sub> ft/sec	V <sub>R</sub> ft/sec	V <sub>e</sub>	$\frac{\mathbf{v}_{\mathrm{R}}}{\mathbf{b}_{\mathrm{r}}\mathbf{m}_{\mathrm{r}}}$	о <sub>е</sub> 1b/rt <sup>2</sup>	ν <sub>ο</sub> ν <sub>ο</sub> γμ <sub>ο</sub>
(Ref. 2)	2	1 2 1 2 3	D1 F1 D1 F1	6 6 6 6	1,361 1,321 .964 1,081 1,233	1.271 1.351 .899 .969 1.070	0.0028 .0035 .0024 .0023	62.41 50.45 73.69 76.90 78.19	7.90 7.10 8.59 8.78 8.84	3179 3179 3179 3179 3179	0.3538 .3659 .3436 .3405 .3398	1125 1163 1092 1082 1080	1313 1138	1.129 1.052	1242.3 1215.5 939.9 1033.4 1144.7	977.2 899.5 1045.9 1066.8 1069.8	4.15 4.06 3.14 3.45 3.82	3.27 3.01 3.50 3.57 3.58	2161 2586 1060 1228 1507	0.3895 .4240 .2710 .2915 .3207
н н		5	D <sub>2</sub>	G G	1.316	1.250	.0029 .0034 .0024	59.98 51.63	7.74 7.19 8.52	31.79 31.79 31.79	.3562 .3645	1132 1159	1319 942	1,138 ,860	1202.6 1199 1021.7	962.2 908.4 1036.9	4.02 4.00 3.41	3.88 3.04 3.47	2097 2444 1253	.3848 .4130
т н п	3	1 2 3 4	7, 7, 10, 7, 10,	0 0 0	1.055 1.153 1.270 1.356 1.354	965 938 964 1.285 1.272	0018	72.52 93.53 119.53 51.19	9.92	3179 3179 3179 3179 3179	.3445 — .3573 .3576	1136 1137	1401. — — — — ————————————————————————————	1.210	1106.9 1195.1 1228.5 1216.7	1180.4 1210.1 956.2 956	3.70 3.99 4.10 4.06	3.95 4.15 3.20 3.19	1103 1113 2261 2591	.2764 .281.6 .3967 .3939
	5 6 7	1 2 1 2	D <sub>1</sub> P <sub>1</sub> P <sub>1</sub> F <sub>1</sub>	n n n T	1.315 1.316 1.320 1.308 1.041	1.333 1.367 1.301 1.308 974	.0035 .0038 .0033 .0035 .0025	50.30 50.42 50.43 50.43 70.33	7.09 6:83 7.29 7.16 8.39	3179 3179 3179 3179 3179 3179	.3661 .3701 .3631 .3650 .3466	11.64 11.76 11.54 11.60 11.02	1362 1414 942	1,175 1,219 .855	1199.1 1193 1197.6 1184 1001.3	899.5 872.6 920.4 905.4 1028	4.00 3.98 4.00 3.99 3.34	2.92	2516 2704 2366 2453 1253	4189 4326 4069 4096 2956
* * * * * * * * * * * * * * * * * * * *	8	1 2 3 4 1	F1 I1 D2 F2 F1	F1 B1 D2 F2 F1	1.055 1.295 1.279 1.277 1.034	.987 1.086 1.202 1.248 .983	.0024 .0023 .0027 .0030 .0026	74.79 76.40 66.09 58.94 68.90	8.65 8.74 8.13 7.68 8.30	3179 3179 3179 3179 3179 3179	.3426 .3412 .3504 .3572 .3578	1089 1085 1114 1136 1137	1005 — 1238 961	.923  1.090 .845	1037.8 1152.2 1202.9 1193.2 1001.3	1051.9 1060.8 1001.1 956.2 1019	3.47 3.85 4.02 3.98 3.34	3.52 3.55 3.35 3.20 3.41	1292 1527 1953 2136 1303	2972 3265 3665 3848 2988
	10 11 12 13	1 2 1 1	F1 F1 F1 F1	F <sub>1</sub> E <sub>1</sub> F <sub>1</sub> F <sub>1</sub>	1.078 1.220 1.103 .981	.982 1.068 .974 .985	.0023 .0022 .0022 .0028 .0033	77.44 79.46 79.74 62.85 54.14	8,93 7,93	3179 3179 3179 3179 3179 3179	.3402  .3534 .3620	1081 — 1123 - 1151	1074 	.994 	1047.5 1152.5 1054.2 955.7 868.6	1066.8 1078.8 1081.8 980.1 923.4	3.50 3.85 3.52 3.19 2.90	3.57 3.61 3.62 3.28 3.09	1262 1461 1222 1279 1245	2948 3204 2924 2985 2923
	14 15 16	1 ,1 2 1 2	F1 D1 D1 P1 F1	F <sub>1</sub> D <sub>1</sub> F <sub>1</sub> D <sub>1</sub> F <sub>1</sub>	.832 .773 .763 .848 .891	.935 .917 .917 .925 .981	.0037 .0042 .0043 .0034 .0035	18.39 12.11 11.13 12.17 10.30	6.50 6.42 7.24	3179 3179 3179 3179 3179 3179	.3681 .3751 .3763 .3638 .3661	1170 1192 1196 1156 1164	1023 1047 1062	.874 .875 .912	827.3 769.9 761.5 845.9 982.1	884.5 839.7 830.7 914.4 899.5	2.76 2.57 2.54 2.82 2.95	2.96 2.81 2.78 3.06 3.01	1266 1243 1247 1216 1362	.2944 .2934 .2938 .2894 .3431
:	17 18	1	. <b>r</b> <sub>1</sub>	r x	1.040 1.014	.979 1.005	.0026 .0030	69.33 59.55		3179 3179	.3474 .3566	110 <b>4</b> 113 <b>4</b>	1018 1049	.922 .925	1003.3 967.4	1025 962.2	3.35 3.23	3.43 3.22	1308 1404	2983 3104



-73

A = 2.4

A = 4

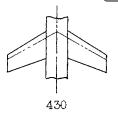
A = 6.4

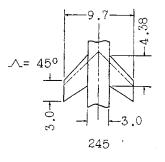
\_^\_=.0°

13.7 16.2

Plan-form designation

\_\_= 30°





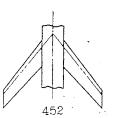
445

66:1

645

-16.8

 $- 1 = 52 \frac{1}{2}^{\circ}$ 



Note: Dimensions shown (inches) are constant for a given aspect ratio.

\_<= 60°

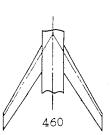


Figure 1.- Plan forms of flutter models giving aspect ratio, sweep angle, plan-form dimensions, and model designations.

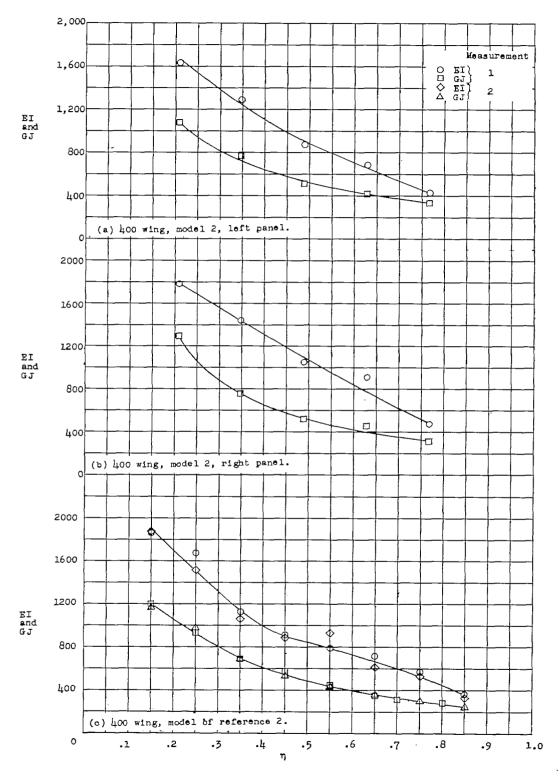


Figure 2. - Measured variation of bending and torsional stiffness along the special triings.

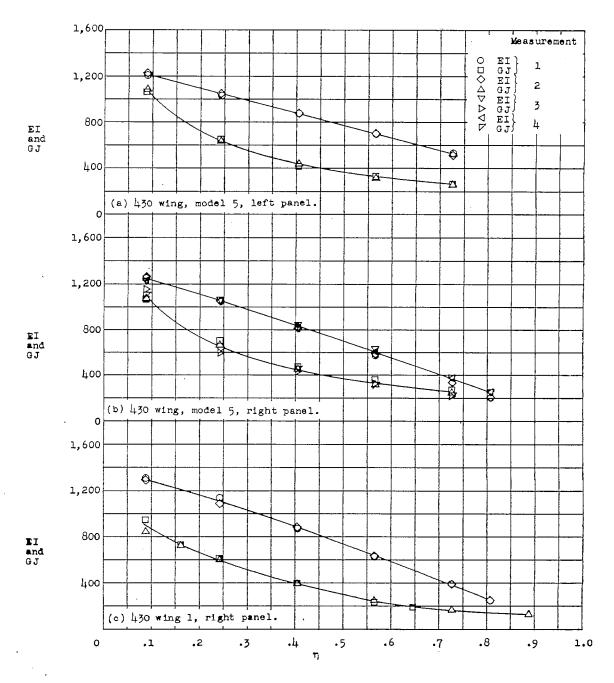


Figure 3.- Measured variation of bending and torsional stiffness along the span for 430 wings.



ΕI

and GJ

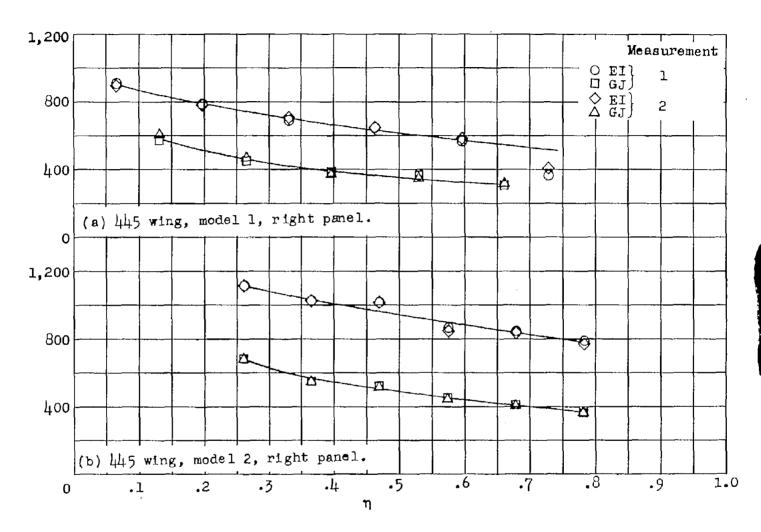


Figure 4.- Measured variation of bending and torsional stiffness along the span for 445 wings.

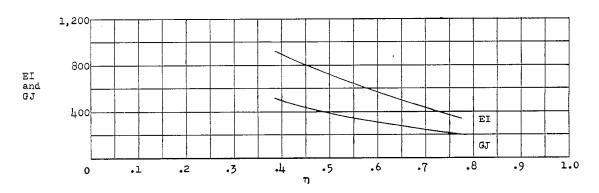


Figure 5.- Measured variation of bending and torsional stiffness along the span for 452 wing (model of ref.  $\overline{2}$ ).

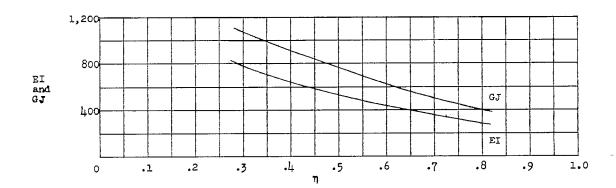
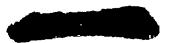


Figure 6.- Spanwise variations of the estimated bending and torsional stiffnesses of the 645 magnesium wing. Values were scaled from the measured variation on a similar wing of 2017-T aluminum alloy (formerly designated 17S-T) as follows: (EI) $_{\rm mag}$  = (EI) $_{\rm al}$   $\times \frac{E_{\rm mag}}{E_{\rm al}}$  and

$$(GJ)_{mag} = (GJ)_{al} \times \frac{G_{mag}}{G_{al}}$$





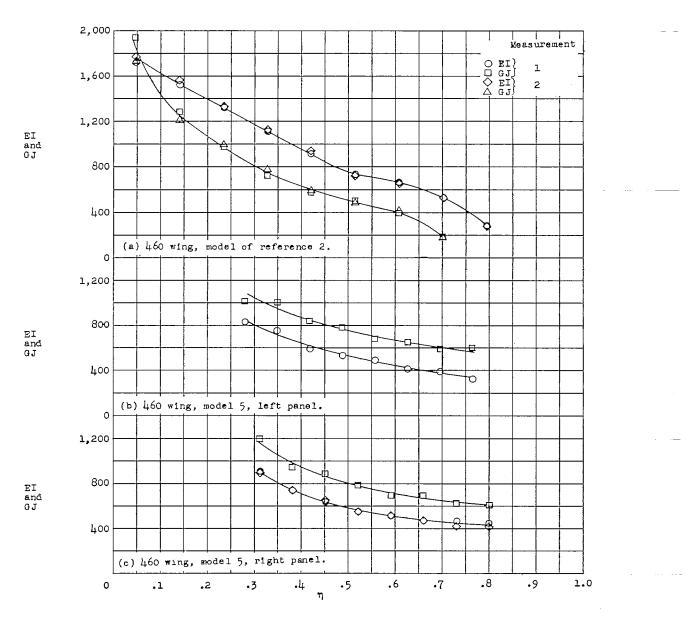
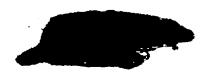


Figure 7.- Measured variation of bending and torsional stiffness along the span for  $460~{\rm wings.}$ 



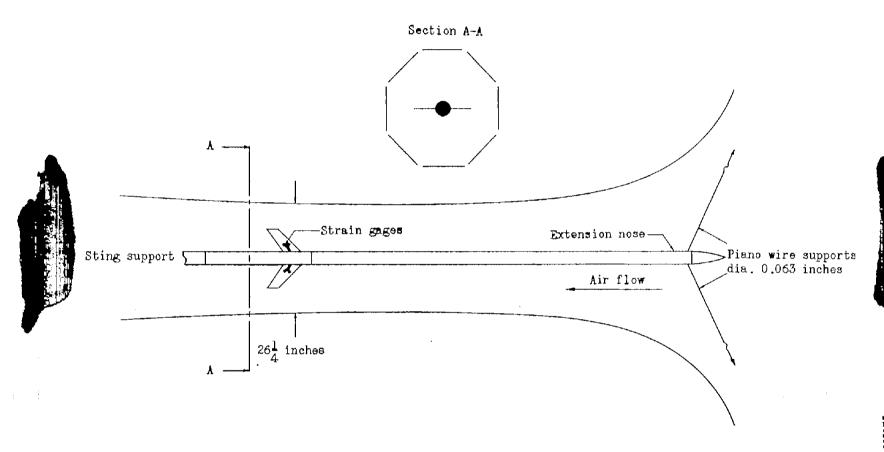
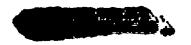


Figure 8.- Plan view of Langley transonic blowdown tunnel with flutter model installed.

A



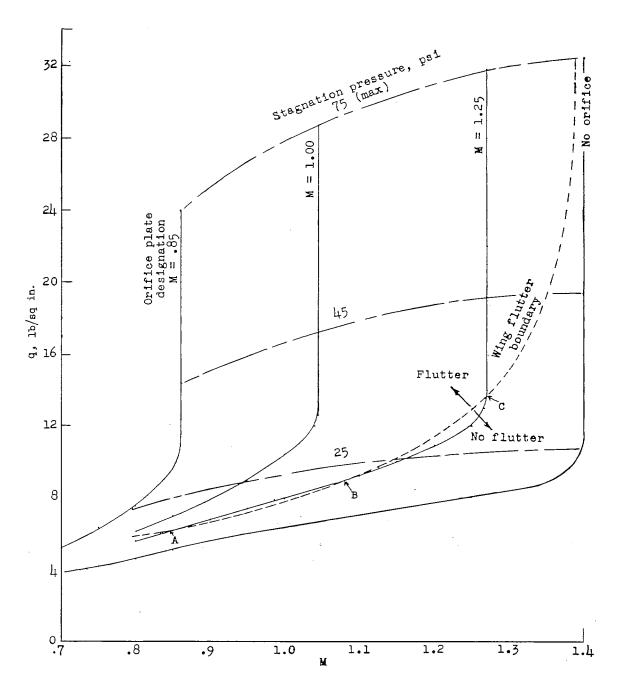
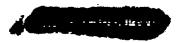
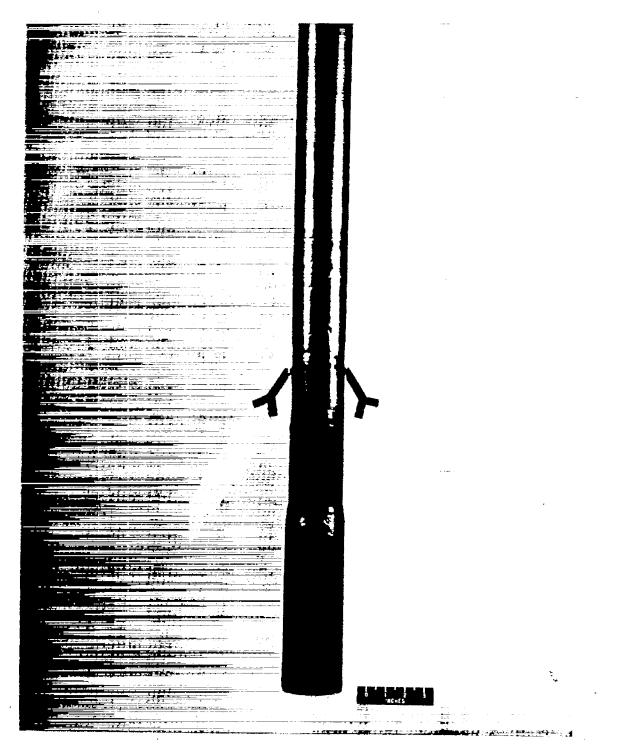


Figure 9.- Variation with Mach number of tunnel dynamic pressure curves for several orifice conditions, and an example wing-flutter-boundary curve.







L-79715.1

Figure 10. - Example of flutter model mounted in sting fuselage.



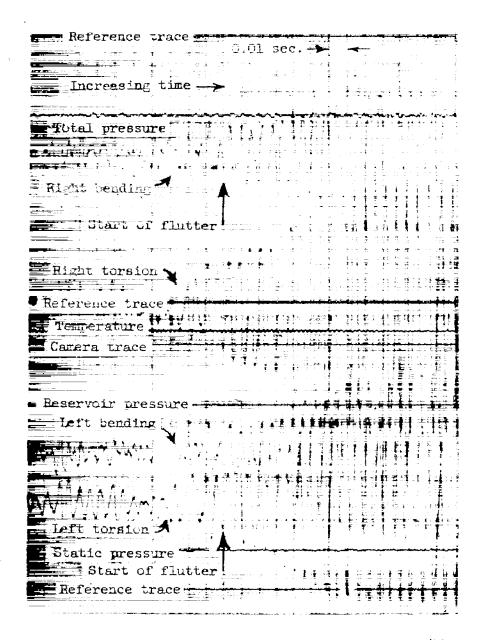
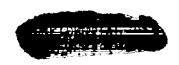
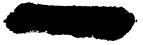


Figure 11. - Sample oscillograph record of flutter test (445 wing at M = 0.813).





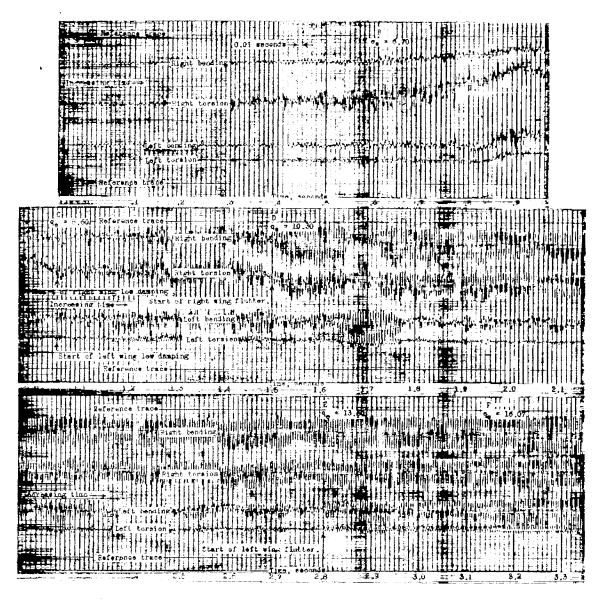
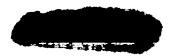
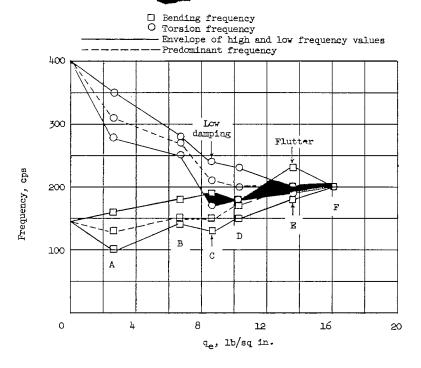
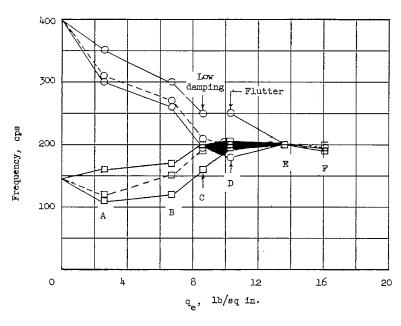


Figure 12. - Tracing of a section of an oscillograph record showing low damping and flutter which occurred on a 400 wing during a flutter test run.





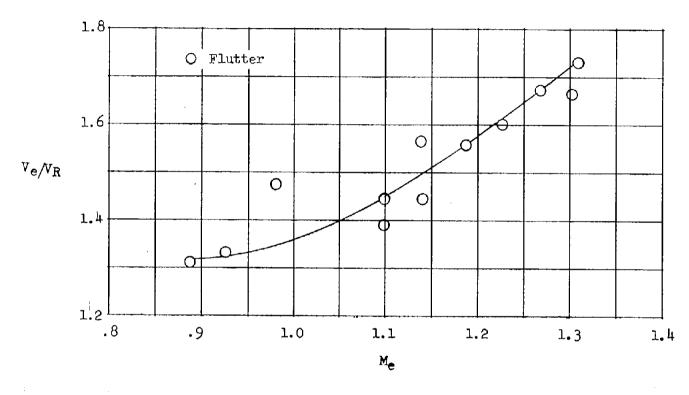
## (a) Left wing panel.



(b) Right wing panel.

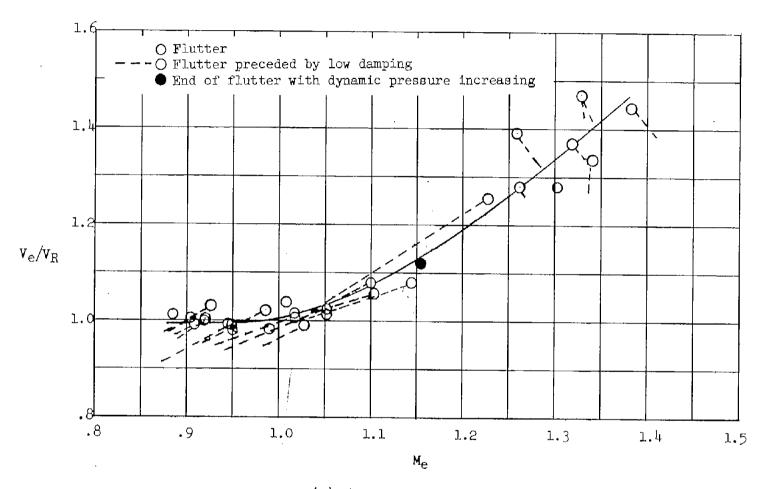
Figure 13.- Variation of bending and torsion frequencies of a 400 wing with dynamic pressure during a test run. Shaded areas indicate low damping region.





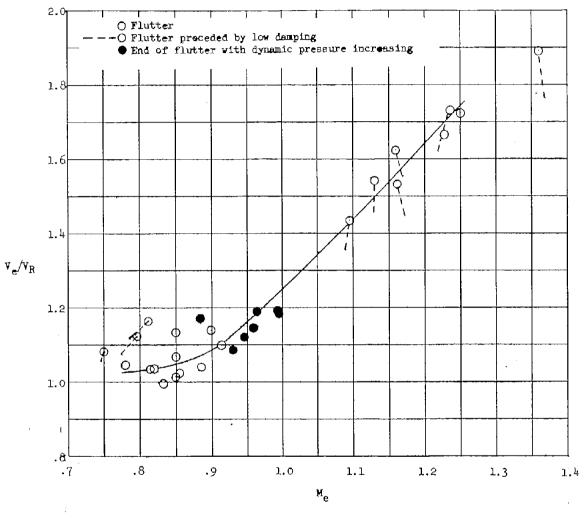
(a) 245 plan form.

Figure 14.- Variation of flutter-speed ratio with Mach number for the various flutter-model plan forms.



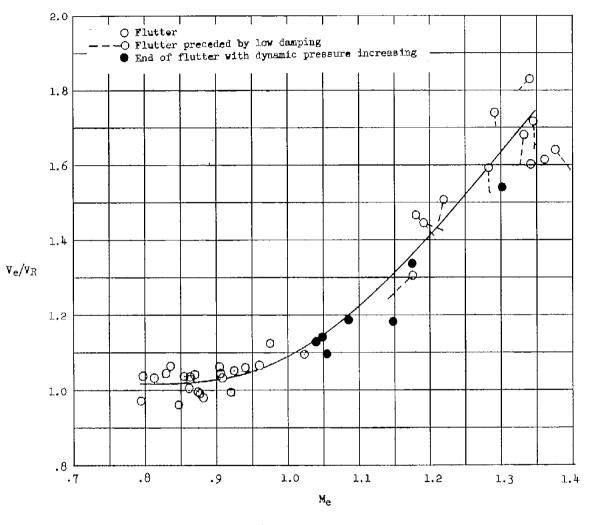
(b) 400 plan form.

Figure 14. - Continued.



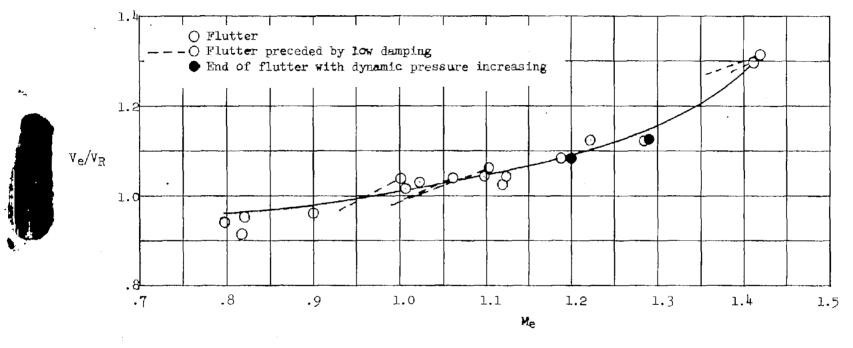
(c) 430 plan form.

Figure 14. - Continued.



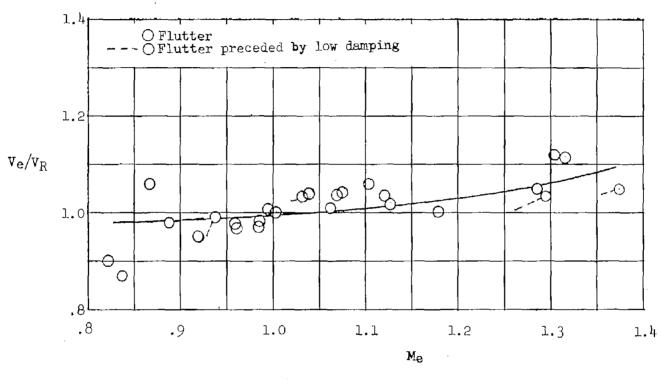
(d) 445 plan form.

Figure 14. - Continued.



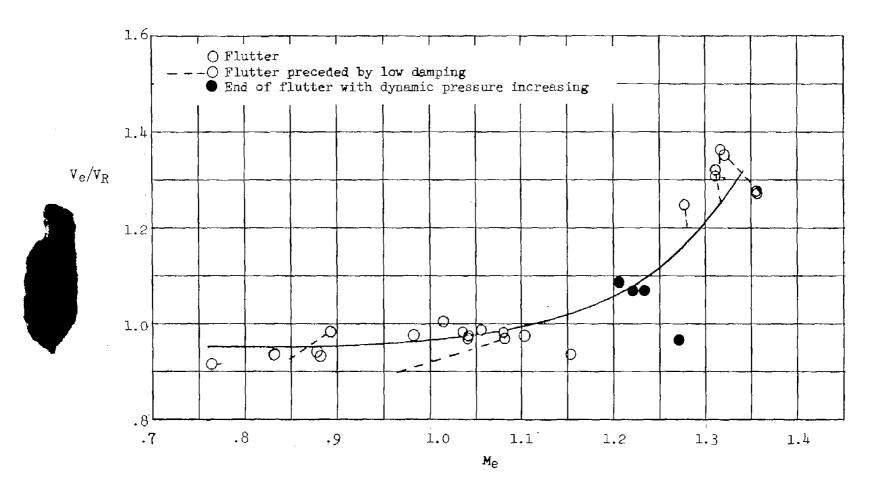
(e) 452 plan form.

Figure 14. - Continued.



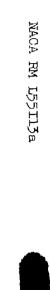
(f) 460 plan form.

Figure 14. - Continued.



(g) 645 plan form.

Figure 14.- Concluded.



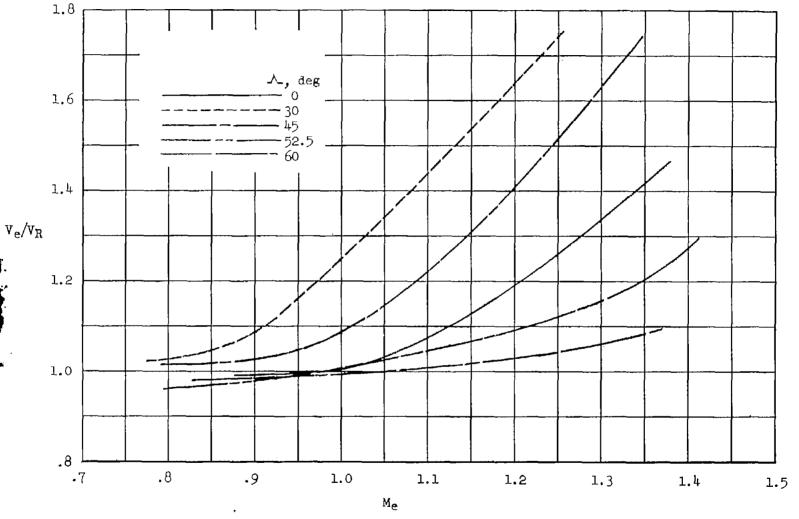


Figure 15.- Effect of sweepback on variation of flutter-speed ratio with Mach number for wings with aspect ratio 4.



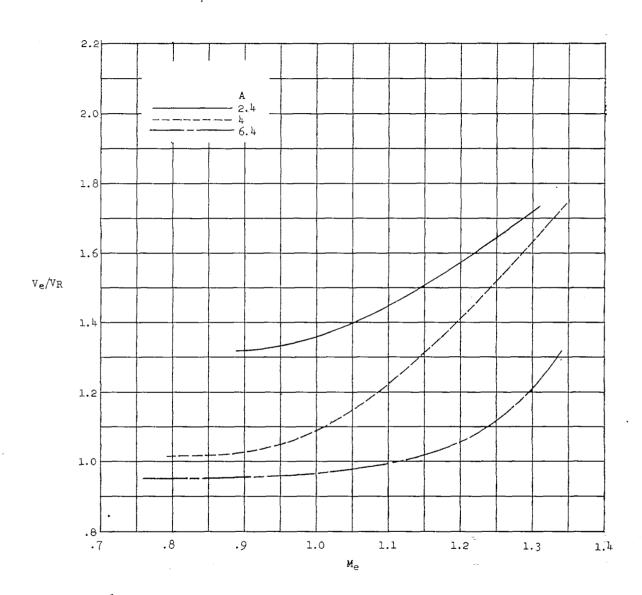


Figure 16.- Effect of aspect ratio on variation of flutter-speed ratio with Mach number for wings with 45° sweepback.



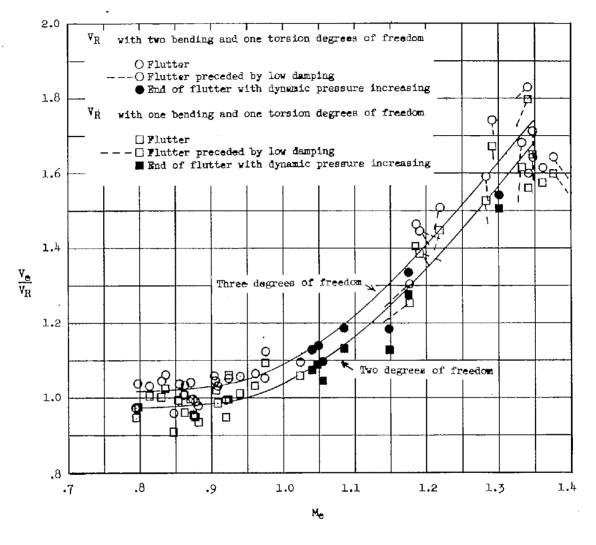


Figure 17.- Variation of flutter-speed ratio with Mach number for the 445 plan form when two and three degrees of freedom were used in computing the reference flutter speeds.

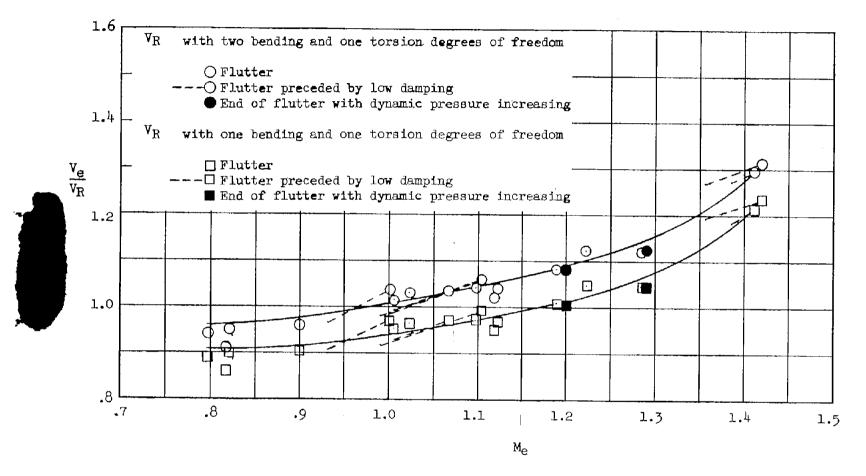


Figure 18.- Variation of flutter-speed ratio with Mach number for the 452 plan form when two and three degrees of freedom were used in computing the reference flutter speeds.

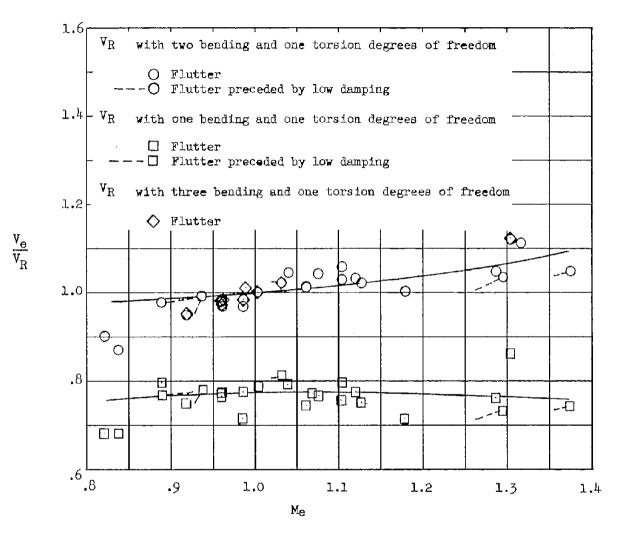


Figure 19.- Variation of flutter-speed ratio with Mach number for the 460 plan form when two, three, and four degrees of freedom were used in computing the reference flutter speeds.

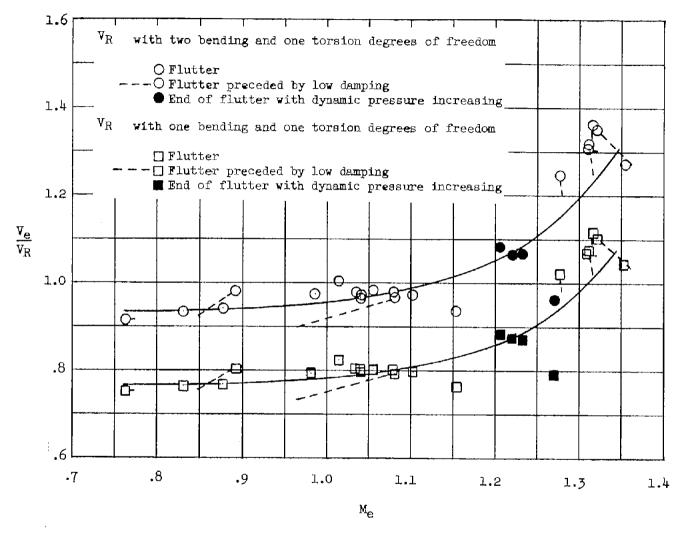


Figure 20. - Variation of flutter-speed ratio with Mach number for the 645 plan form when two and three degrees of freedom were used in computing the reference flutter speeds.

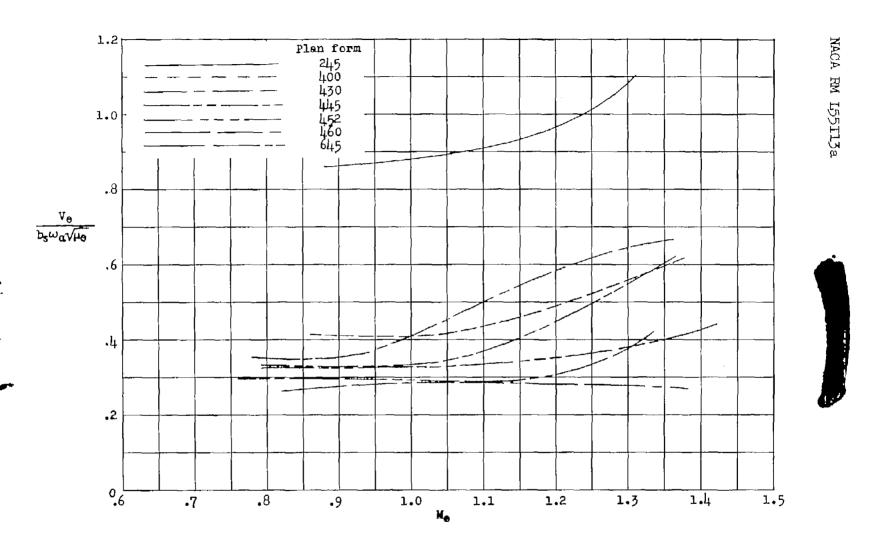


Figure 21.- Variation with Mach number of an experimental flutter-speed coefficient  $\frac{V_e}{b_S\omega_U\sqrt{\mu_e}}$  for plan forms tested.

1.0

 $M_e$ 

Figure 22.- Flutter boundary and hypothetical flight paths for 445 wing in terms of variation of  $\frac{v_e}{b_g\alpha_0\sqrt{\mu_e}} \mbox{ with Mach number.}$ 

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